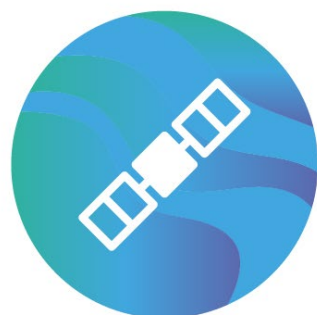


# AEOLUS+Innovation 'Ocean sub-surface products and applications'



## Aeolus Ocean Colour

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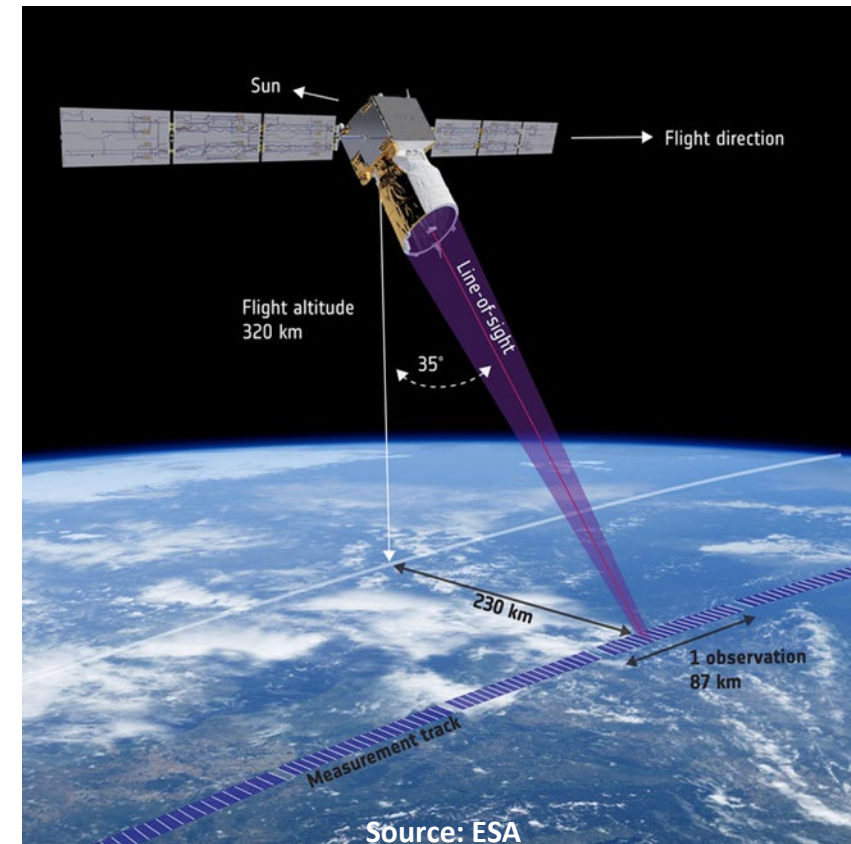
1. NOVELTIS – 2. LOG/ULCO – 3. LOG/CNRS – 4. ESA/ESRIN

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- ADM-Aeolus launched in August 2018
- Initially dedicated to the monitoring of **wind profiles**
- ALADIN LiDAR instrument:
  - › **High-Spectral Resolution LiDAR**: separates the contribution from Molecular (Rayleigh) and Particulate (Mie) backscattering
    - Backscatter and attenuation coefficients can be estimated without the need of ancillary data nor absolute calibration
  - › Screens the atmosphere profile in the UV (355 nm)
    - No measurements / few observations in the UV over **Ocean**
- Assessing the potentials of **Aeolus observations** to provide **ocean colour products**
  - › Provide, **for the first time**, optical ocean properties ( $b_{bp}$ ) in the UV



- Derivation of **Ocean Color parameters** from Aeolus
  - › LiDAR-derived optical parameters
    - Particulate attenuated backscatter  $\beta_p$
    - Attenuation coefficient  $K_L$
  - › Ocean optical parameters related to **ocean optical properties**
    - Particulate backscattering parameter  $b_{bp}(355 \text{ nm})$
    - Diffuse attenuation coefficient  $K_d(355 \text{ nm})$
  - › Biogeochemical parameters related to **marine biogeochemical cycles**
    - Particulate organic carbon *POC*
    - Phytoplankton carbon  $C_{phyto}$
    - Coloured dissolved organic matter *CDOM*
- Focus on retrieval of  $\beta_p$  and  $b_{bp}(355 \text{ nm})$



- Estimation approach for the **LiDAR derived optical parameters  $\beta_P$**

- Basic of HSRL

$$S_P(z) = K_{Mie} \left[ \frac{N_p E_0}{(nH + z)^2} \right] \beta_P \left[ \exp \left( - \int_0^z K_L(z') dz' \right) \right]^2 \cdot (T_A)^2$$

$$S_M(z) = K_{Ray} \left[ \frac{N_p E_0}{(nH + z)^2} \right] \beta_M \left[ \exp \left( - \int_0^z K_L(z') dz' \right) \right]^2 \cdot (T_A)^2$$

- ADM-AEOLUS HSRL algorithm

- Taking into account the **cross-talk**

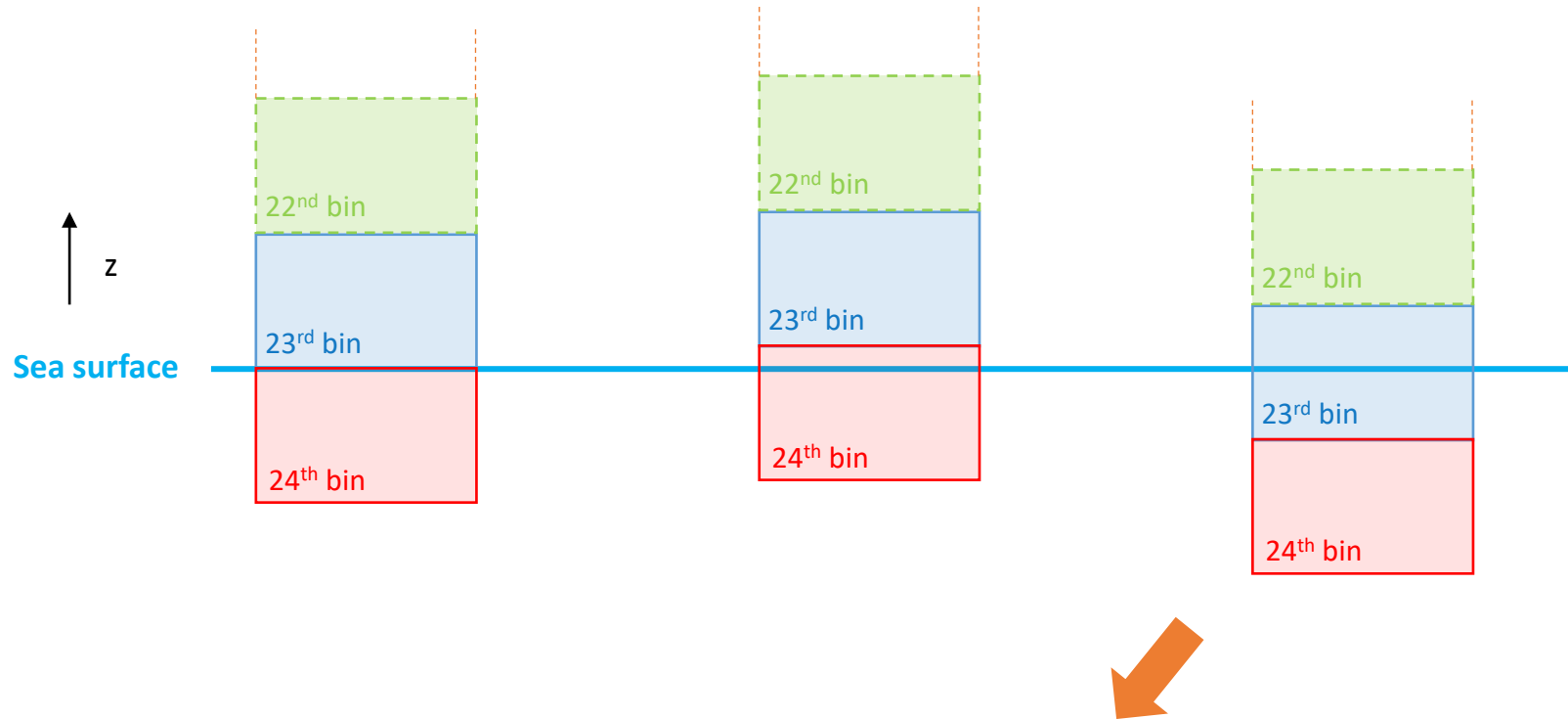
$$S_M(z) = K_{Ray} \left[ \frac{N_p E_0}{(nH+z)^2} \right] (C_1 \beta_M + C_2 \beta_P) \left[ \exp \left( - \int_0^z K_L(z') dz' \right) \right]^2 \cdot (T_A)^2$$

$$S_P(z) = K_{Mie} \left[ \frac{A}{(nH+z)^2} \right] (C_3 \beta_P + C_4 \beta_M) \left[ \exp \left( - \int_0^z K_L(z') dz' \right) \right]^2 \cdot (T_A)^2$$

$$\beta_P = \beta_M \frac{(K_{Ray} C_1 - S_R K_{Mie} C_4)}{(S_R K_{Mie} C_3 - K_{Ray} C_2)} \quad \text{with } \frac{S_M(z)}{S_P(z)} = S_R$$

- C1, C2, C3 and C4 not available for users, and need to be computed for **water spectra**
    - Taking into account the **change of temperature of the M1 mirror** introducing a calibration bias
      - The calibration coefficients  $K_{Ray}$  and  $K_{Mie}$  are not constant
      - Provided in L2A files

- Estimation approach for the **LiDAR derived optical parameters  $\beta_P$** 
  - › ADM-AEOLUS HSRL algorithm
    - Taking into account the **altitude of the bins** to get signal from the **ocean**

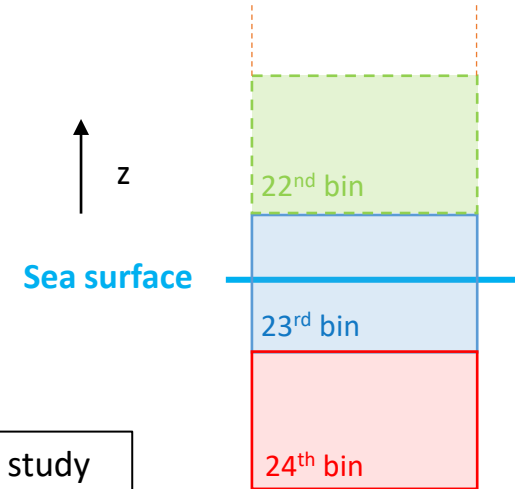


- SNR of bin #24 is too low -> **choice of bin #23**

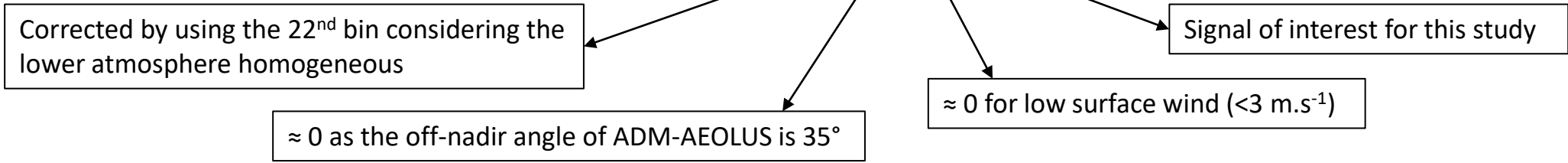
- Estimation approach for the **LiDAR derived optical parameters  $\beta_P$**

- ADM-AEOLUS HSRL algorithm

- Taking into account the **altitude of the bins** to get signal from the **ocean**
    - Decomposition of the LiDAR signal in bin #23 (Li et al., 2007; Josset et al., 2010)



$$S(23) = S_{atm} + S_s + S_{wc} + S_o$$



- $S_{atm}$  is the **contribution of the atmosphere** in the 23<sup>rd</sup> bin
      - The **specular reflection of the LiDAR signal on the sea surface  $S_s$**  is a function of the wind speed
      - The **whitecaps signal  $S_{wc}$**  is a function of the effective reflectance and the surface wind
      - $S_o$  is the ocean attenuated backscatter signal, i.e. the **signal of interest**

- Estimation approach to derive **ocean optical parameters  $b_{bp}$**

$$b_{bp} = 2\pi \cdot \chi(180^\circ) \cdot \beta_p \quad (\text{Boss and Pegau, 2001})$$

- ›  $\chi(180^\circ)$ , a conversion factor that depends on the size, type and composition of the particles

- Comparison of Aeolus derived  $b_{bp}$  against *in situ* measurements
  - › BGC-ARGO network
  - › Sea campaign in Cape Verde



- Aeolus derived  $b_{bp}$  vs. BGC-ARGO measured  $b_{bp}$

- › Profiles of  $b_{bp}(700)$ ,  $E_d(490)$ ,  $CDOM$ , etc.

- › Processing of BGC-ARGO measurements:

$$b_{bp}(355) = b_{bp}(700) \left( \frac{700}{355} \right)^\gamma \quad \text{with } \gamma = 0.78 \text{ (Boss et al., 2013)}$$

- › **Collocations** between Aeolus observations – BGC ARGO measurements according to Bisson et al., 2020

- **Distance** threshold: if SST < 15 °C, then distance < 15 km, otherwise, distance < 50 km

- **Temporal** threshold: < 24 hours

- › Also considered:

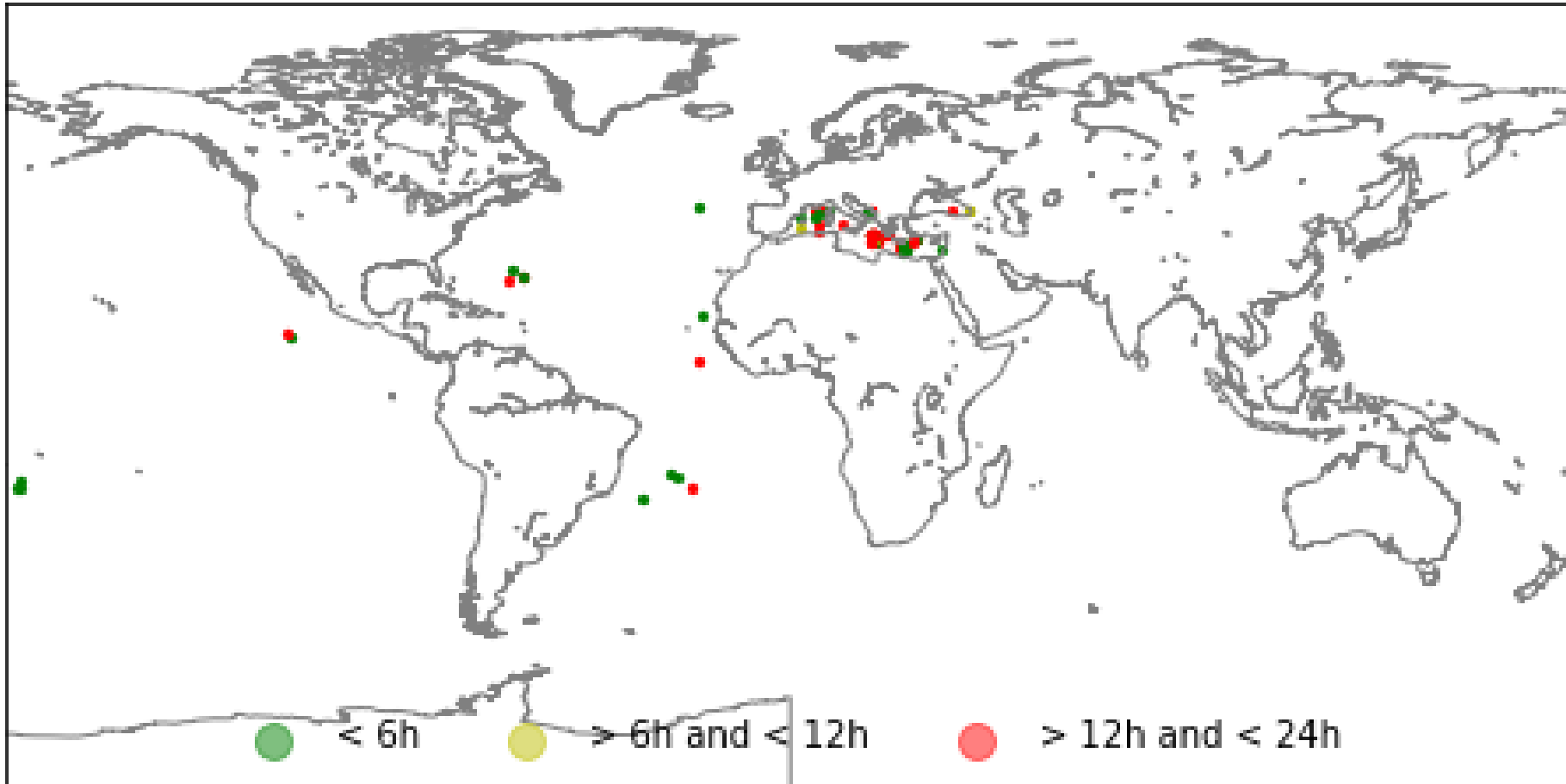
- **Data quality** (for both BGC ARGO and Aeolus data)

- **Cloud cover** (through scattering ratio in Aeolus L2A products)

- › **Period of interest:** June 28th 2019 to October 10th 2020

- Aeolus derived  $b_{bp}$  vs. BGC-ARGO measured  $b_{bp}$

Temporal distance between Aeolus and BGC Argo measurements



88 collocations

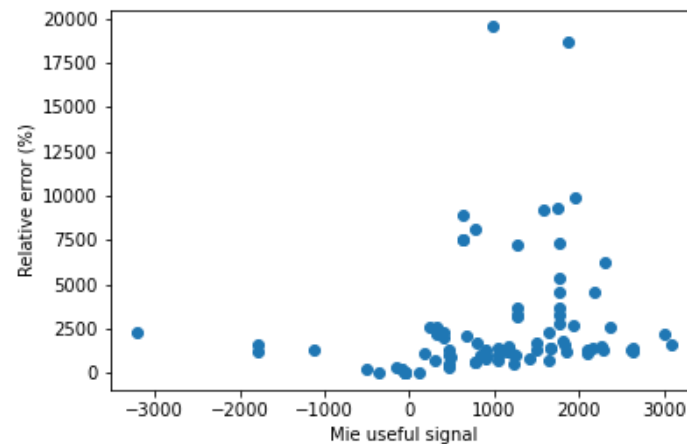
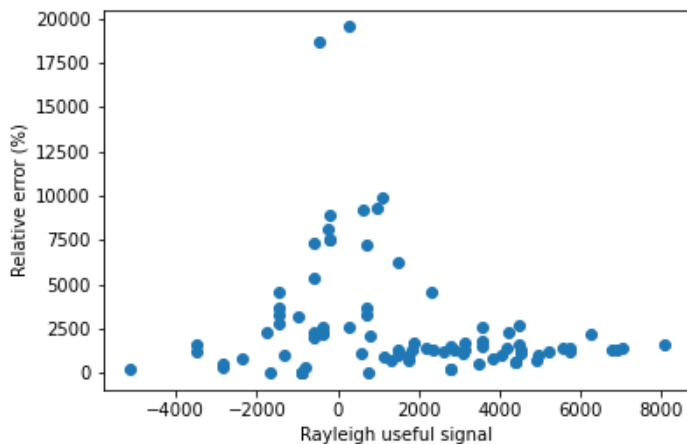
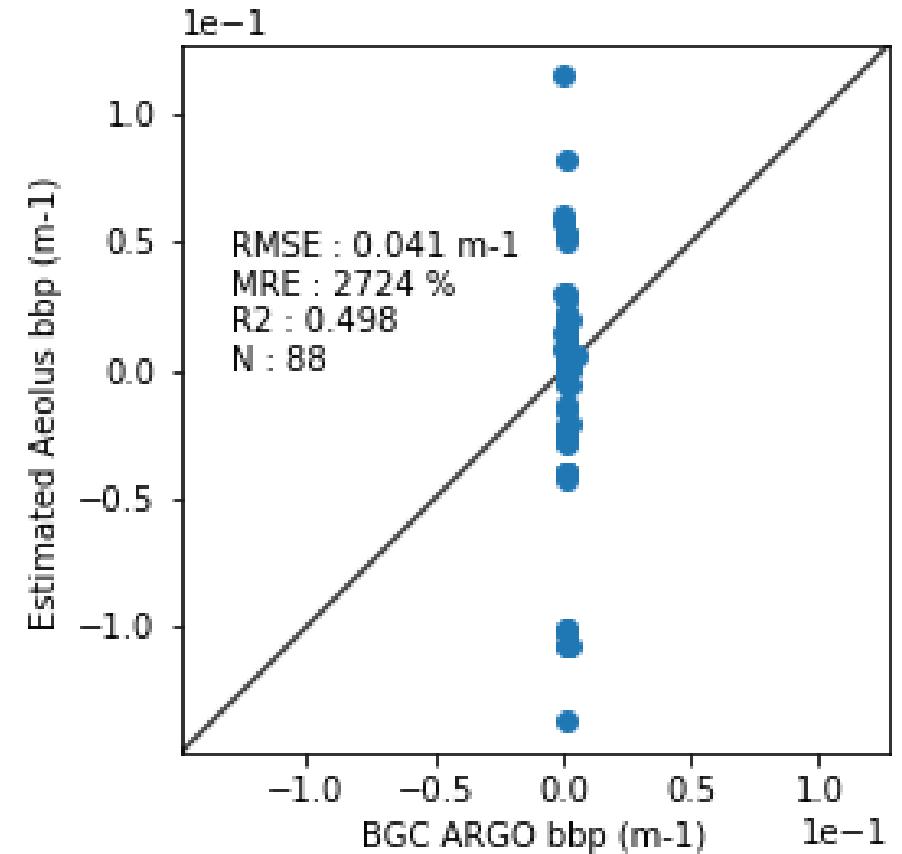
- Aeolus derived  $b_{bp}$  vs. BGC-ARGO measured  $b_{bp}$

› 
$$\beta_P = \beta_M \frac{(K_{Ray}C_1 - S_R K_{Mie} C_4)}{(S_R K_{Mie} C_3 - K_{Ray}C_2)}, \text{ with } S_R = S_M / S_P$$

› 
$$b_{bp} = 2\pi \cdot \chi(180^\circ) \cdot \beta_p$$

› 
$$S_{atm}(23) = S(22)$$

› No cross-talk ( $C_1 = C_3 = 1, C_2 = C_4 = 0$ )



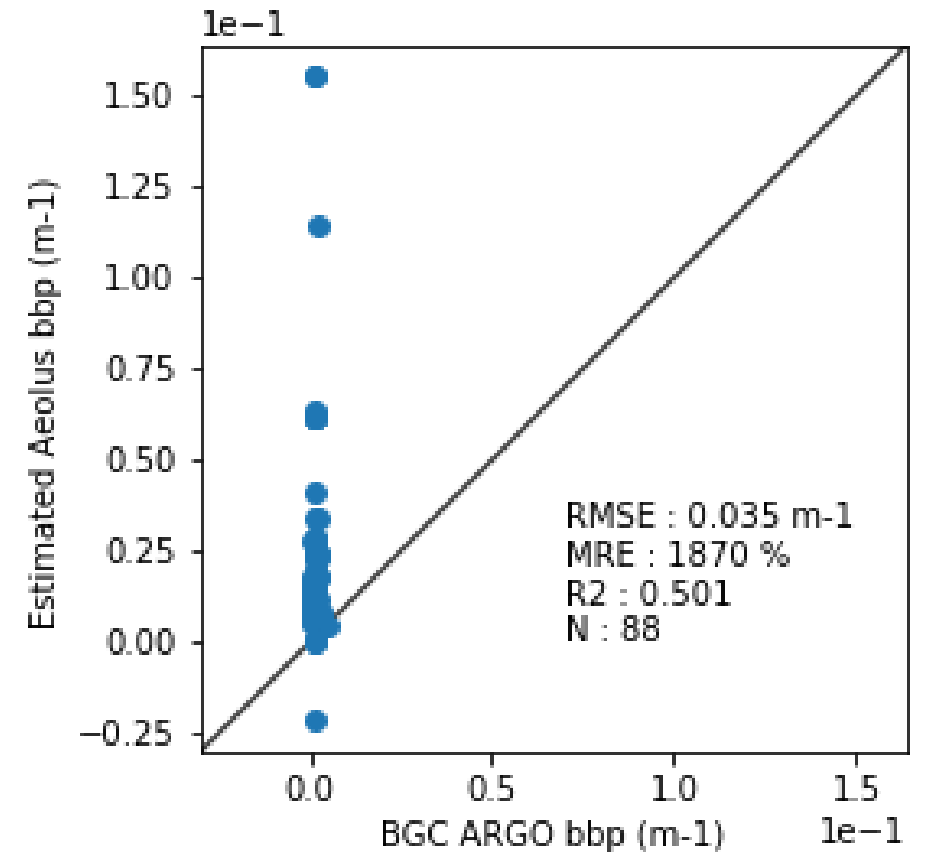
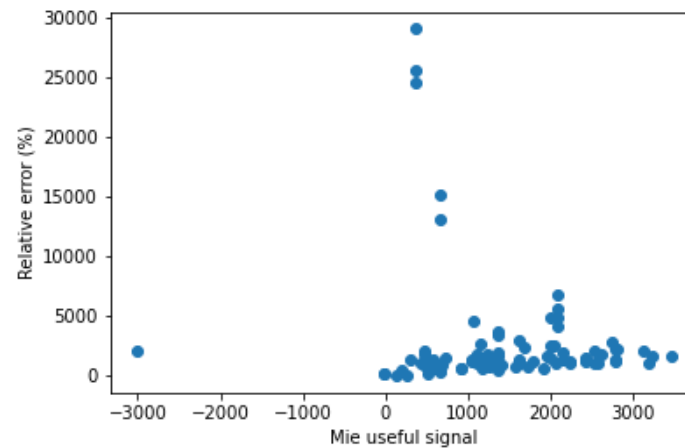
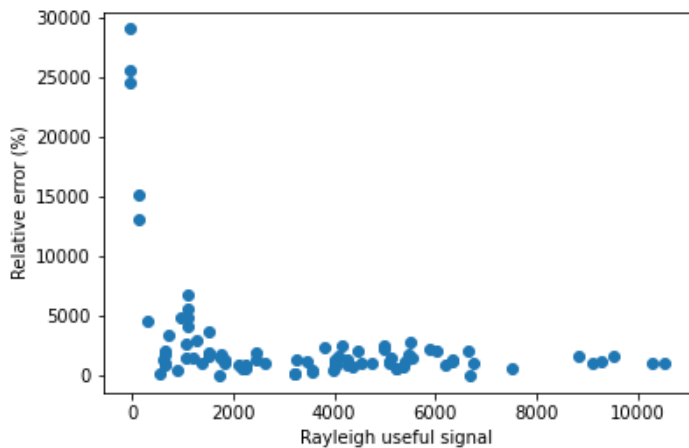
- Aeolus derived  $b_{bp}$  vs. BGC-ARGO measured  $b_{bp}$

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$$\beta_P = \beta_M \frac{(K_{Ray}C_1 - S_R K_{Mie} C_4)}{(S_R K_{Mie} C_3 - K_{Ray}C_2)}, \text{ with } S_R = S_M / S_P$$

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$$b_{bp} = 2\pi \cdot \chi(180^\circ) \cdot \beta_p$$

› 
$$S_{atm}(23) = S(22) \frac{\text{altitude\_bin}(23)}{\text{height\_bin}(23)}$$

› No cross-talk ( $C_1 = C_3 = 1, C_2 = C_4 = 0$ )



- Aeolus derived  $b_{bp}$  vs. BGC-ARGO measured  $b_{bp}$

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$$\beta_P = \beta_M \frac{(K_{Ray}C_1 - S_R K_{Mie} C_4)}{(S_R K_{Mie} C_3 - K_{Ray}C_2)}, \text{ with } S_R = S_M / S_P$$

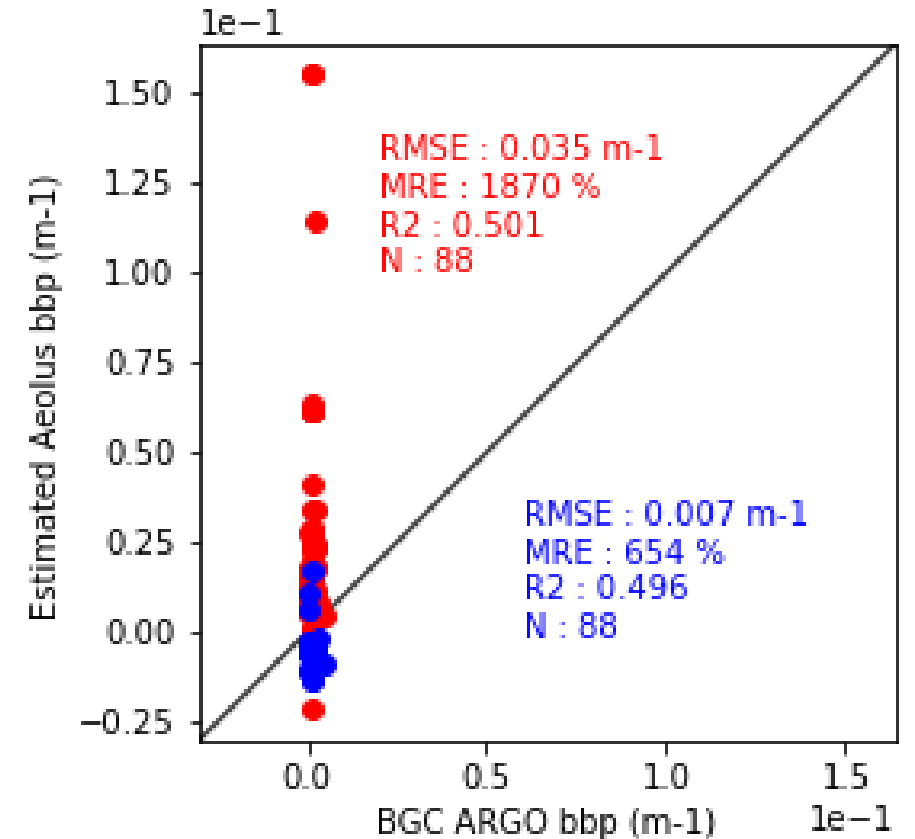
› 
$$b_{bp} = 2\pi \cdot \chi(180^\circ) \cdot \beta_p$$

› 
$$S_{atm}(23) = S(22) \frac{\text{altitude\_bin}(23)}{\text{height\_bin}(23)}$$

› **Cross-talk** (for **water spectra**,

$C_1 = 1.14, C_2 = 1.64, C_3 = 1.30, C_4 = 1.00$ )

› **Strong impact of  $C_x$**



- Aeolus derived  $b_{bp}$  vs. Cape Verde measured  $b_{bp}$ 
  - › In the frame of the **ESA JATAC** and **French CADDIWA** campaigns (September 8-22nd 2021)
  - › Aeolus overpasses (<100 km) on Sep. 10, 15, 17, 22 -> **9 colocations**
  - › Particulate backscattering parameter  $b_{bp}$  up to 30 meters
  - › Diffuse attenuation coefficient  $K_d$  up to 30 meters



- Aeolus derived  $b_{bp}$  vs. Cape Verde measured  $b_{bp}$

- ›  $\beta_P = \beta_M \frac{(K_{Ray}C_1 - S_R K_{Mie} C_4)}{(S_R K_{Mie} C_3 - K_{Ray}C_2)}$ , with  $S_R = S_M / S_P$

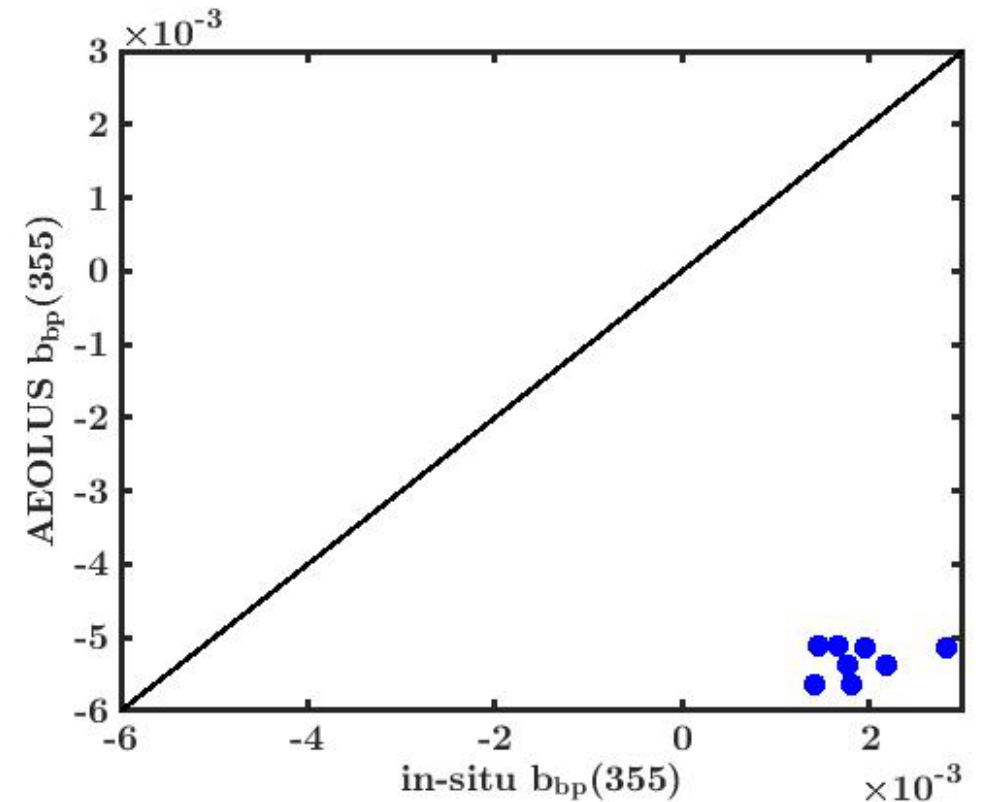
- ›  $b_{bp} = 2\pi \cdot \chi(180^\circ) \cdot \beta_p$

- ›  $S_{atm}(23) = S(22) \frac{altitude\_bin(23)}{height\_bin(23)}$

- › Cross-talk (for water spectra,

$C_1 = 1.14, C_2 = 1.64, C_3 = 1.30, C_4 = 1.00$ )

- › **Same trend as for BGC-ARGO**



- First tentative to estimate  $b_{bp}$  in the UV from ALADIN LiDAR
  - › Need to perform **atmospheric correction** as the bin of interest is both in water and atmosphere
  - › Inclusion of **calibration** and **crosstalk** coefficients  $C_x$  for water
- High error on  $b_{bp}$  retrievals
  - › Negative values when including  $C_x$  coefficients
  - › Impacted by the way to correct the atmosphere
  - › No relevant to derive biogeochemical parameters at this stage
- Need to better understand the **ALADIN signal** (threshold on the SNR, binning on more observations)
- **Sensitivity study** on the  $C_x$  values
- Need to understand the content of the ground signal → may be useful to correct the contribution of the atmosphere
- Need to consider the surface as a function of the **wind speed**



- **ESA** for funding the project through the AEOLUS+ Innovation program
- **CNES** for funding the Cape Verde sea campaign through the TOSCA program
- **Alain Dabas and his team** for providing the  $C_x$  values for water and for their valuable comments on this work and the cloud flag
- The **Ocean Science Mindelo Center** (OSCM) for the help to organize the sea campaign and the use of their facilities: Pericles Silva, Ivanice Monteiro and Elizandro Rodrigues
- The **captain** and the **fishermen** of the **Gamboa ship**

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# Thank you for your attention!



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- Estimation approach for the **LiDAR derived optical parameters**

- Basic of HSRL

$$\left. \begin{aligned} S_M(z) &= K_{Ray} \left[ \frac{N_p E_0}{(nH+z)^2} \right] \beta_M \left[ \exp\left(-\int_0^z K_L(z') dz'\right) \right]^2 \cdot (T_A)^2 \\ S_P(z) &= K_{Mie} \left[ \frac{N_p E_0}{(nH+z)^2} \right] \beta_P \left[ \exp\left(-\int_0^z K_L(z') dz'\right) \right]^2 \cdot (T_A)^2 \end{aligned} \right\}$$

$$\beta_P = \beta_M \left[ \frac{K_{Mie}}{K_{Ray}} \right] \left[ \frac{S_P(z)}{S_M(z)} \right]$$

$\beta_M$  is almost constant in the upper-ocean and is equal to 0.001301 at 355 nm (Zhang et al., 2009)

- Signal the Mie and Rayleigh channels would measure if the HSRL was perfect, i.e. no cross-talk between the Rayleigh and Mie channels

- ADM-AEOLUS HSRL algorithm (taking into account **cross-talk**)

$$\left. \begin{aligned} S_M(z) &= K_{Ray} \left[ \frac{N_p E_0}{(nH+z)^2} \right] (C_1 \beta_M + C_2 \beta_P) \left[ \exp\left(-\int_0^z K_L(z') dz'\right) \right]^2 \cdot (T_A)^2 \\ S_P(z) &= K_{Mie} \left[ \frac{A}{(nH+z)^2} \right] (C_3 \beta_P + C_4 \beta_M) \left[ \exp\left(-\int_0^z K_L(z') dz'\right) \right]^2 \cdot (T_A)^2 \end{aligned} \right\}$$

$$\beta_P = \beta_M \frac{(K_{Ray} C_1 - S_R K_{Mie} C_4)}{(S_R K_{Mie} C_3 - K_{Ray} C_2)}$$

with  $\frac{S_M(z)}{S_P(z)} = S_R$

- $C_1, C_2, C_3$  and  $C_4$  not available for users, and need to be computed for **water spectra**

- Estimation approach for the **LiDAR derived optical parameters**

- › **ADM-AEOLUS HSRL algorithm**

- Taking into account **cross-talk**

$$\left. \begin{aligned}
 S_M(z) &= K_{Ray} \left[ \frac{N_p E_0}{(nH+z)^2} \right] (C_1 \beta_M + C_2 \beta_P) \left[ \exp\left(-\int_0^z K_L(z') dz'\right) \right]^2 \cdot (T_A)^2 \\
 S_P(z) &= K_{Mie} \left[ \frac{A}{(nH+z)^2} \right] (C_3 \beta_P + C_4 \beta_M) \left[ \exp\left(-\int_0^z K_L(z') dz'\right) \right]^2 \cdot (T_A)^2
 \end{aligned} \right\} \beta_P = \beta_M \frac{(K_{Ray} C_1 - S_R K_{Mie} C_4)}{(S_R K_{Mie} C_3 - K_{Ray} C_2)} \quad \text{with } \frac{S_M(z)}{S_P(z)} = S_R$$

- Taking into account the **change of temperature of the M1 mirror** introducing a calibration bias

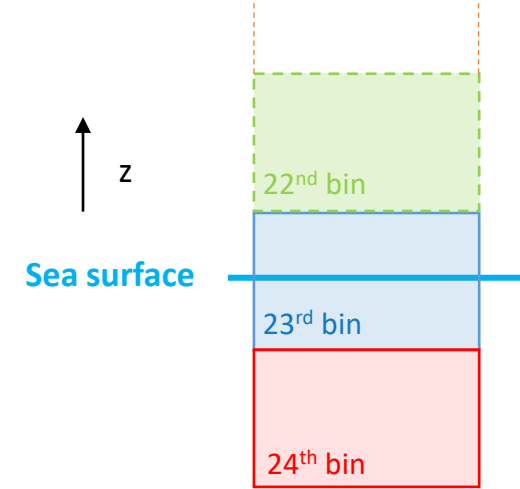
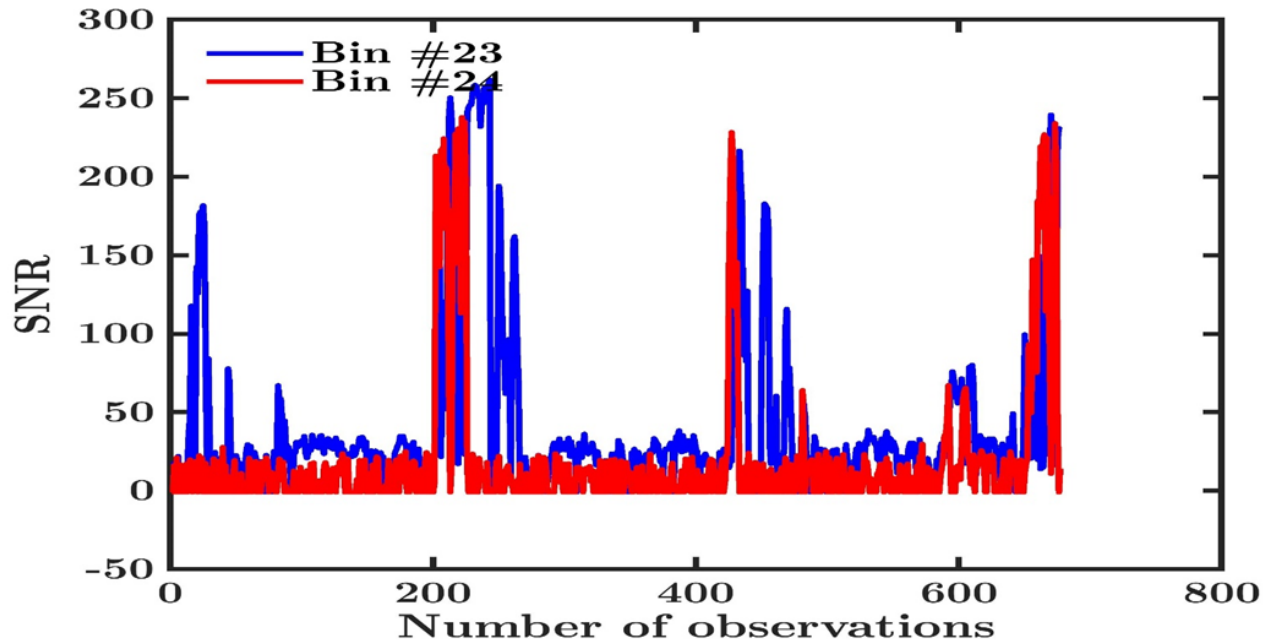
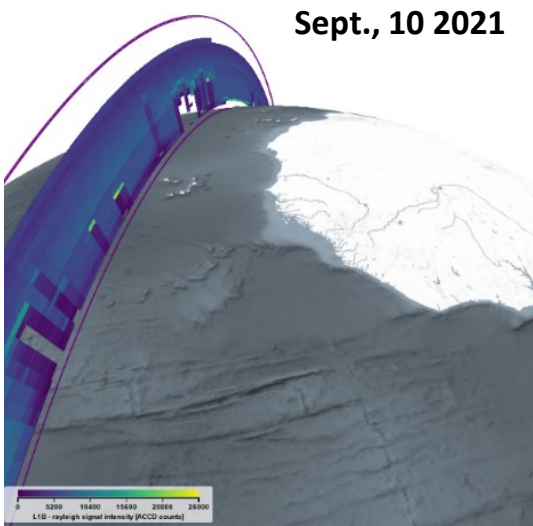
- The calibration constants  $K_{Ray}$  and  $K_{Mie}$  are not constants
      - Provided in L2A files

$$K_L(z) = -\frac{1}{2} \frac{d}{dz} \ln((nH + z)^2 \cdot S_M(z))$$

- Estimation approach for the **LiDAR derived optical parameters**

- ADM-AEOLUS HSRL algorithm

- Taking into account the **altitude of the bins** to get signal from the **ocean**



- SNR of bin #24 may be too low -> **choice of bin #23**

- Estimation approach for the **LiDAR derived optical parameters**
  - › ADM-AEOLUS HSRL algorithm
    - Taking into account **cross-talk**
    - Taking into account the **change of temperature of the M1 mirror** introducing a calibration bias
    - Taking into account the **altitude of the bins** to get signal from the **ocean**
      - Consider **atmospheric correction** and **wind speed**
    - Taking into account the clouds
      - First assumption: if L1B observation is available, so the scene is free of clouds
      - However, **thin clouds** may still impact the estimation of LiDAR derived optical parameters: **cloud filtering**
      - No cloud information in AEOLUS L1B files...
      - **LiDAR scattering ratio** from L2A or **SNR**

- Estimation approach to derive **ocean optical parameters**

- › Particulate backscattering parameter  $b_{bp}$

$$b_{bp} = 2\pi \cdot \chi(180^\circ) \cdot \beta_p \quad (\text{Boss and Pegau, 2001})$$

- $\chi(180^\circ)$ , a conversion factor that depends on the size, type and composition of the particles

- › Diffuse attenuation coefficient  $K_L$

$$K_d(355) = K_L(355) \quad (\text{Hair et al. 2016})$$

- Lidar attenuation coefficient,  $K_L(355)$ , is a very good approximation of the diffuse attenuation coefficient,  $K_d(355)$

- Estimation approach to derive **biogeochemical parameters**

- › Particulate Organic Carbon (*POC*)

$$POC = 53606.7 * b_{bp}(555) + 2.468 \quad (\text{Stramski et al., 2008})$$

$$\text{with } b_{bp}(\lambda) = b_{bp}(355) \left( \frac{355}{\lambda} \right)^\gamma \quad \gamma = 0.78 \text{ (Boss et al., 2013), variable value could be investigated (Bisson et al., 2020) .}$$

- › Phytoplankton Carbon ( $C_{phyto}$ )

$$C_{phyto} = 13,128 \times (b_{bp}(470) + 0.59) \quad (\text{Graff et al., 2015})$$

- › Coloured dissolved organic matter (*CDOM*)

$$K_d(355) = K_w(355) + K_{bio}(355)$$

$$K_{bio}(355) \sim CDOM \quad (\text{Organelli and Claustre, 2019})$$

$$K_w(355) = 0,0453 \text{ m}^{-1} \quad (\text{Austin and Petzold, 1986})$$

$$CDOM = K_d(355) - 0,0453$$



- Comparison of Aeolus derived  $b_{bp}$  against *in situ* measurements

- › BGC-ARGO network

- Profiles of  $b_{bp}(700)$ ,  $E_d(490)$ ,  $CDOM$ , etc.
- Processing of BGC-ARGO measurements: method based on Lacour et al., 2020
- $b_{bp}(355)$  computation

$$b_{bp}(355) = b_{bp}(700) \left( \frac{700}{355} \right)^\gamma \quad \text{with } \gamma = 0.78 \text{ (Boss et al., 2013)}$$

$$b_{bbp}^{float}(355) = \frac{\sum_z \exp(-2K_d(355)z) b_{bp}(355, z)}{\sum_z \exp(-2K_d(355)z)}$$

- $K_d(490)$  computed as the mean slope over the first 50 m of minus the logarithm of a polynomial fit of the measured  $E_d(490)$

$$K_d(355) = 2.0968 \times (K_d(490) - 0.0224) + 0.0453 \quad \text{(Austin and Petzold, 1986)}$$