

# Insuring mountain grasslands against drought losses by Sentinel-2

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# Background

Increasing frequency of  
drought threatening the  
“Water Towers” of Europe



- Snow depth shows a clear decreasing trend of -8.4% on average<sup>1</sup>
- Temperature is increasing fast, 1 to 1.4 °C on average during the 20<sup>th</sup> century<sup>2</sup>
- Climate projections show that the Alps will see an increase in summer droughts by more than 50%. This means that droughts could occur more than every second summer<sup>3,4</sup>

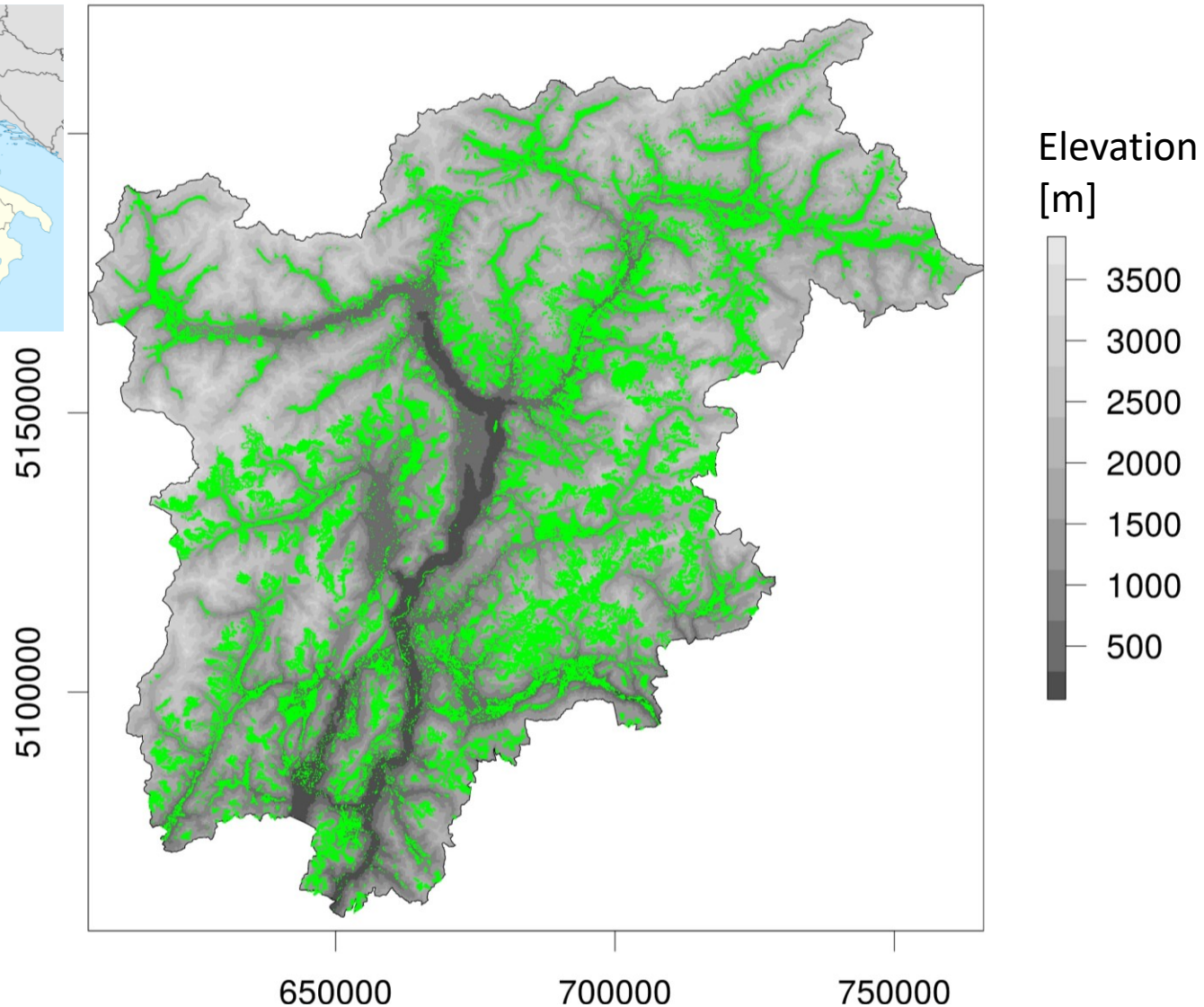
<sup>1</sup>Matiu et al. (2019). Evaluating snow in EURO-CORDEX regional climate models with observations for the European Alps: biases and their relationship to orography, temperature, and precipitation mismatches. *Atmosphere*, 11(1), 46.

<sup>2</sup>Auer et al. (2007). HISTALP—historical instrumental climatological surface time series of the Greater Alpine Region. *International Journal of Climatology: A Journal of the Royal Meteorological Society*, 27(1), 17-46.

<sup>3</sup>Böhnisch et al. (2021). Hot Spots and Climate Trends of Meteorological Droughts in Europe—Assessing the Percent of Normal Index in a Single-Model Initial-Condition Large Ensemble. *Frontiers in Water*, 107.

<sup>4</sup>Spinoni et al. (2018). Will drought events become more frequent and severe in Europe?. *International Journal of Climatology*, 38(4), 1718-1736.

# Study area



Meadows primarily aimed at forage production in the province of Bolzano + meadows and pastures in the province of Trento

9.6% of the total area of the region

17697 farms

231439 parcels

[“Agriculture Risk Management Plan, 2022”](#), Italian Ministry of Agricultural, Food and Forestry Policies:

public support up to **65%**

yield losses **>30%**

automatic system to identify losses

**1<sup>st</sup> pilot insurance for the growing season of year 2022 for 8 farms where we collect ground measurements.**

# Aim of the project

Develop and validate a combined **meteorological/biophysical** index to identify yield losses due to drought in mountain grasslands in the provinces of Bolzano and Trento

$$FPI_n = \sum_{i=SOS}^{i=EOS} \overset{\text{bio}}{\uparrow} (LAI_{grassland\ i}) \times \overset{\text{meteo}}{\uparrow} (WS)$$

$$\Delta FPI_n = \frac{FPI_n}{Olympic\ average(FPI_{n-1}; \dots; FPI_{n-5})}$$

- **FPI**: growing season cumulative of the daily product between **LAI** e lo **water stress**
- FPI deviations from the long-term average allow to identify drought events
- Water stress and LAI anomalies correspond to the cause and the impact of drought

# Meteorological index: Water Stress

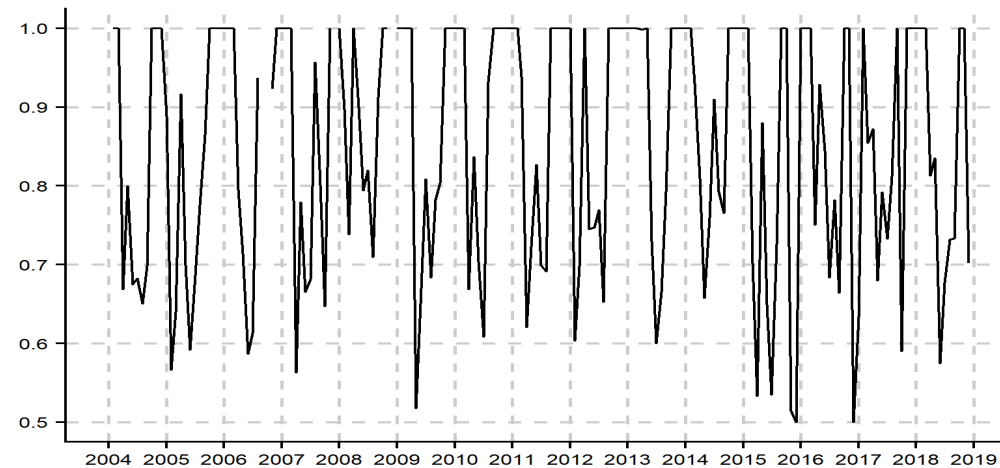
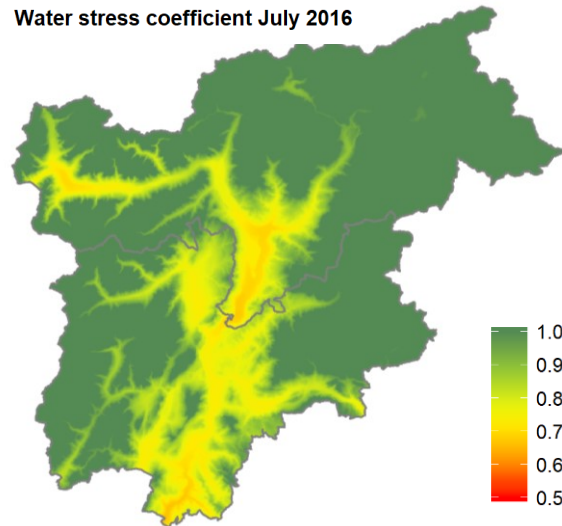
- Daily reference evapotranspiration ( $ET_0$ ) from Jensen-Haise equation over the 250-m grid

$$ET_0 = (0.0252 \cdot T_{mean} + 0.078) \cdot Rad_s \cdot 0.408$$

$$Cws^* = \begin{cases} 0.5 + 0.5 \cdot \frac{P}{ET_0} & P \leq ET_0 \\ 1 & P > ET_0 \end{cases}$$

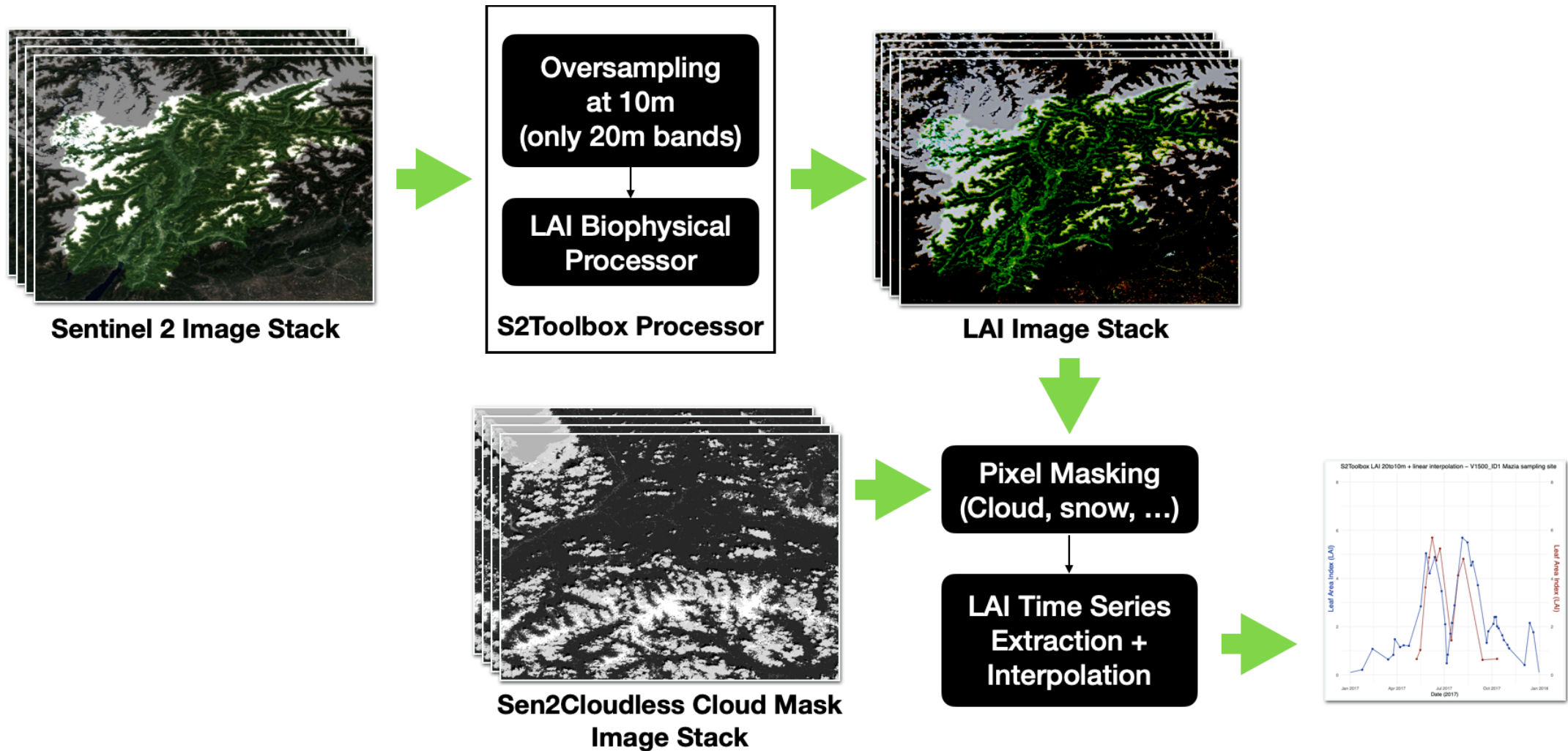
- Cws is computed daily for 1-month accumulation periods from February to October

Water stress coefficient July 2016



\*Roumiguié, A., Jacquin, A., Sigel, G., Poilvé, H., Hagolle, O., & Daydé, J. (2015). Validation of a forage production index (FPI) derived from MODIS fCover time-series using high-resolution satellite imagery: methodology, results and opportunities. *Remote Sensing*, 7(9), 11525-11550.

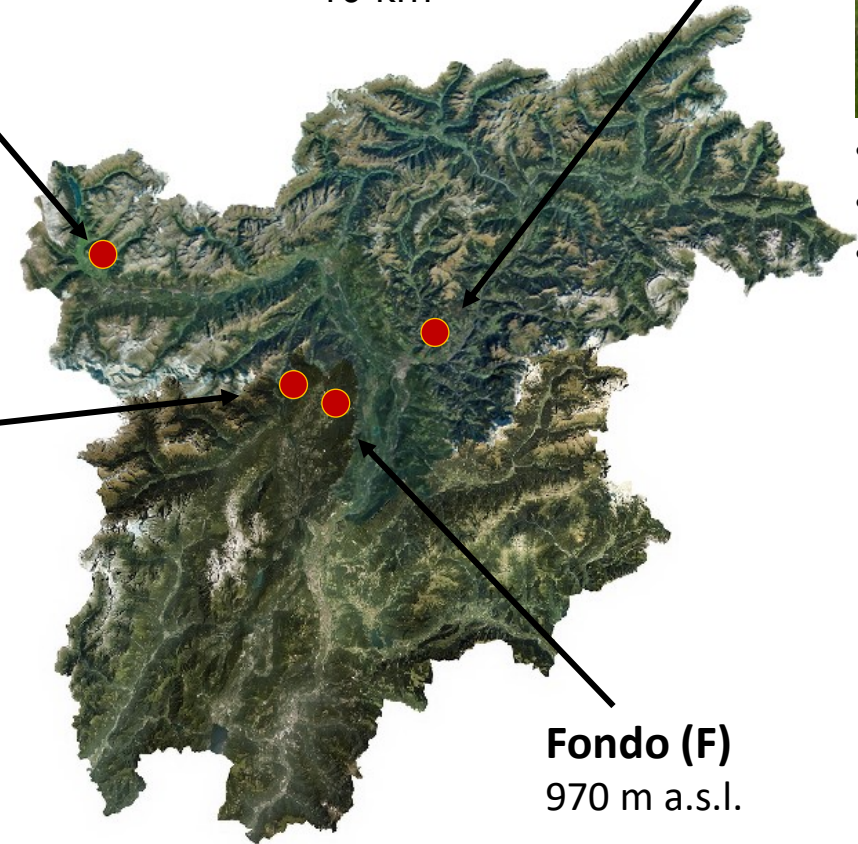
# Biophysical index: LAI



# Design - test sites

AG = autumn grazing

10 km



**Mazia (M)** 1450-1550 m a.s.l.



- 4 ha
- 2 cuts year<sup>-1</sup>

- 1.1 ha
- grazed only

**Laurein (L)** 1330-1340 m a.s.l.



- 0.5 ha
- 2 cuts year<sup>-1</sup> + AG
- N-input 167 kg ha<sup>-1</sup> year<sup>-1</sup>

- 0.37 ha
- 3 cuts year<sup>-1</sup>
- N-input 167 kg ha<sup>-1</sup> year<sup>-1</sup>

- 1.36 ha
- 3 cuts year<sup>-1</sup>
- N-input 186 kg ha<sup>-1</sup> year<sup>-1</sup>

**Ritten (R)**  
1250-1270 m a.s.l.



- 0.77 ha
- 3 cuts year<sup>-1</sup> + AG
- N-input 209 kg ha<sup>-1</sup> year<sup>-1</sup>

- 1.58 ha
- 3 cuts year<sup>-1</sup> + AG
- N-input 209 kg ha<sup>-1</sup> year<sup>-1</sup>



- 0.99 ha
- 4 cuts year<sup>-1</sup>
- N-input 162 kg ha<sup>-1</sup> year<sup>-1</sup>

- 0.5 ha
- 4 cuts year<sup>-1</sup>
- N-input 162 kg ha<sup>-1</sup> year<sup>-1</sup>

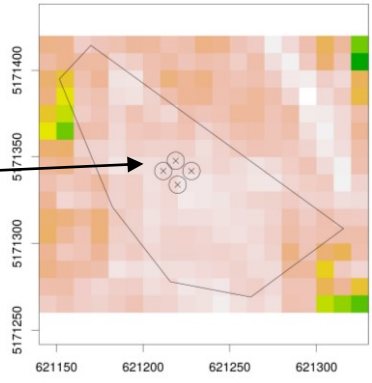
**Fondo (F)**  
970 m a.s.l.



- 0.55 ha
- 2 cuts year<sup>-1</sup>
- N-input 186 kg ha<sup>-1</sup> year<sup>-1</sup>

# Validation of LAI

5 m buffer

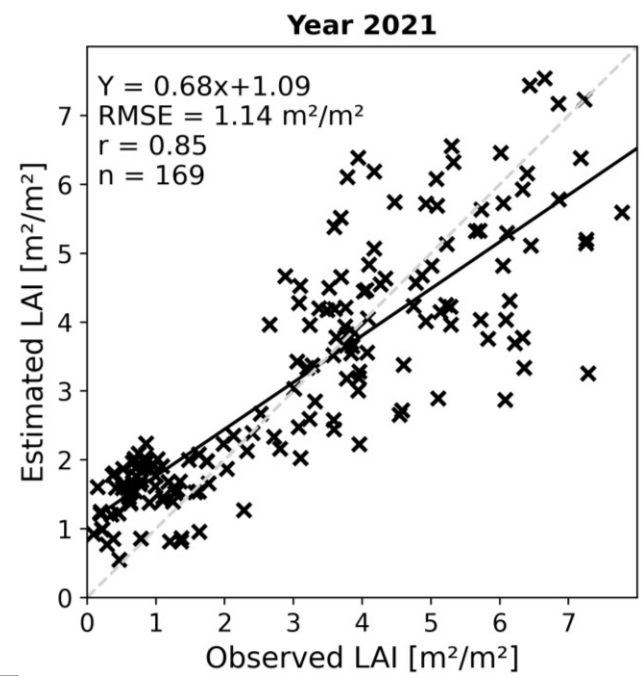
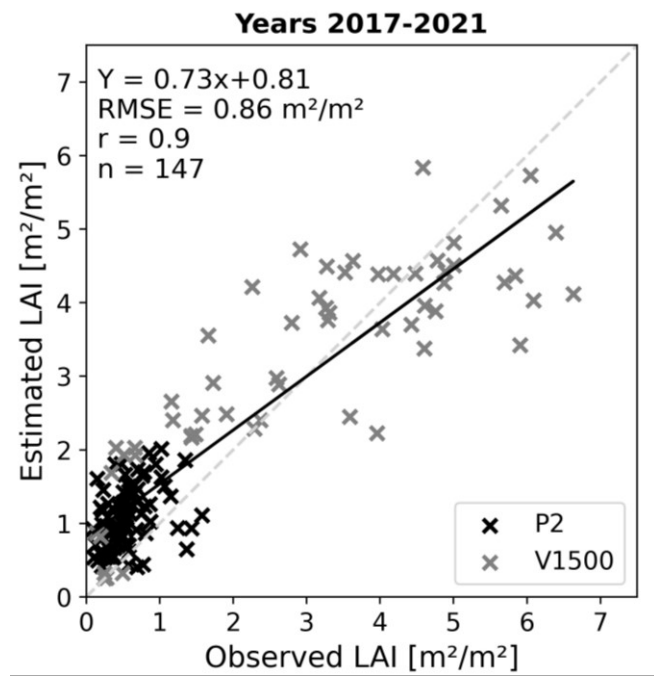


Global comparison for all the parcels

2 parcels, 5 years

10 parcels, 1 year

Parcel	Years	MSE	RMSE	MB	r	n
F1	2021	0.51	0.71	-0.39	0.94	21
F2	2021	0.75	0.87	-0.69	0.93	8
L1	2021	4.22	2.05	-0.89	0.81	16
L2	2021	1.12	1.06	-0.31	0.85	12
R1	2021	1.02	1.01	0.08	0.92	25
R2	2021	1.43	1.2	0.81	0.86	19
R3	2021	0.96	0.98	0.20	0.71	25
R4	2021	0.90	0.95	0.68	0.92	21
V1500	2017-2021	1.19	1.09	0.17	0.83	58
P2	2017-2021	0.45	0.67	0.53	0.36	89
V1500, P2	2017-2021	0.74	0.86	0.39	0.90	147
All	2021	1.29	1.13	0.07	0.85	170





# Sentinel-2 LAI Gap-filling

## Method 1:

timeseries interpolation by

- Linear model at pixel level
- Linear model at parcel level
- Gaussian Process Regression model at parcel level

## Input:

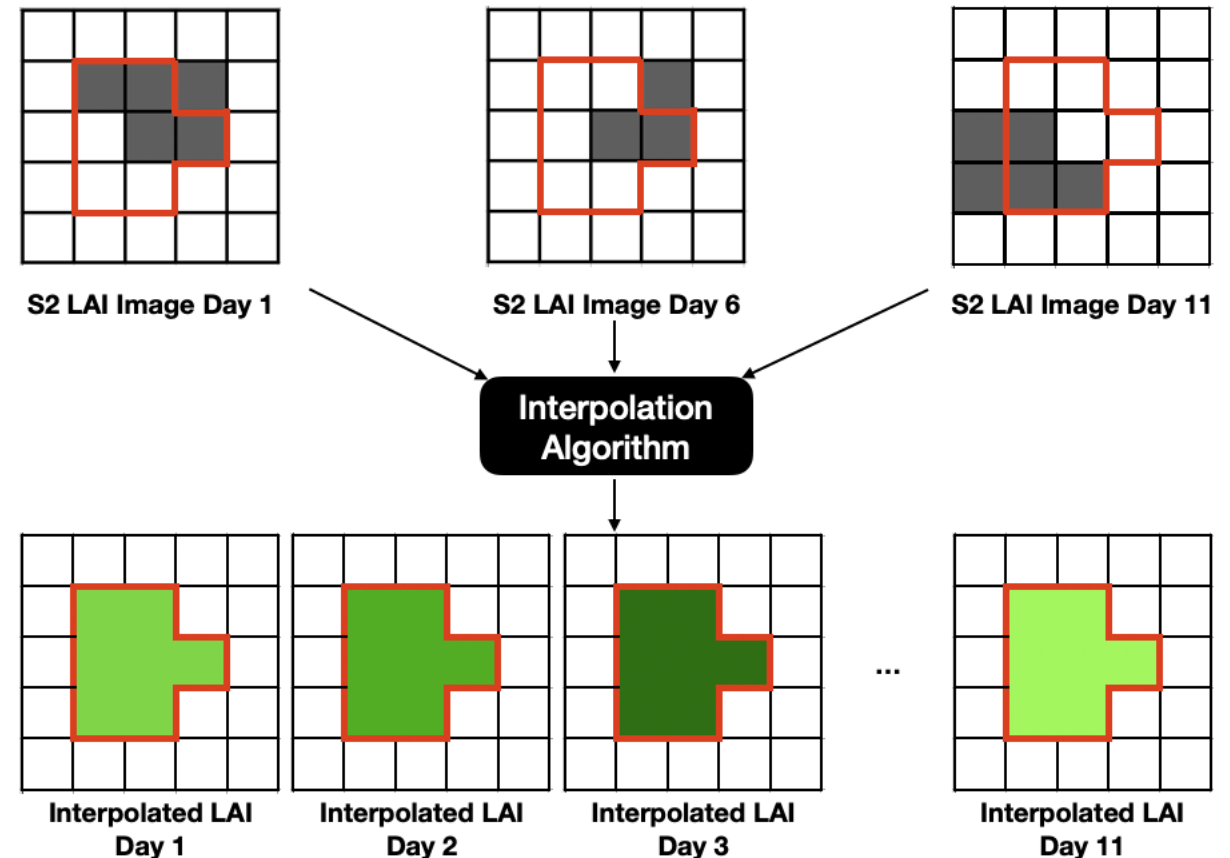
Raster stack of LAI timeseries derived from Sentinel-2

## Output:

Daily LAI timeseries for each parcel, without gaps

## Time Series Interpolation

Exploitation of close pixel values (both in time and space) to predict missing LAI

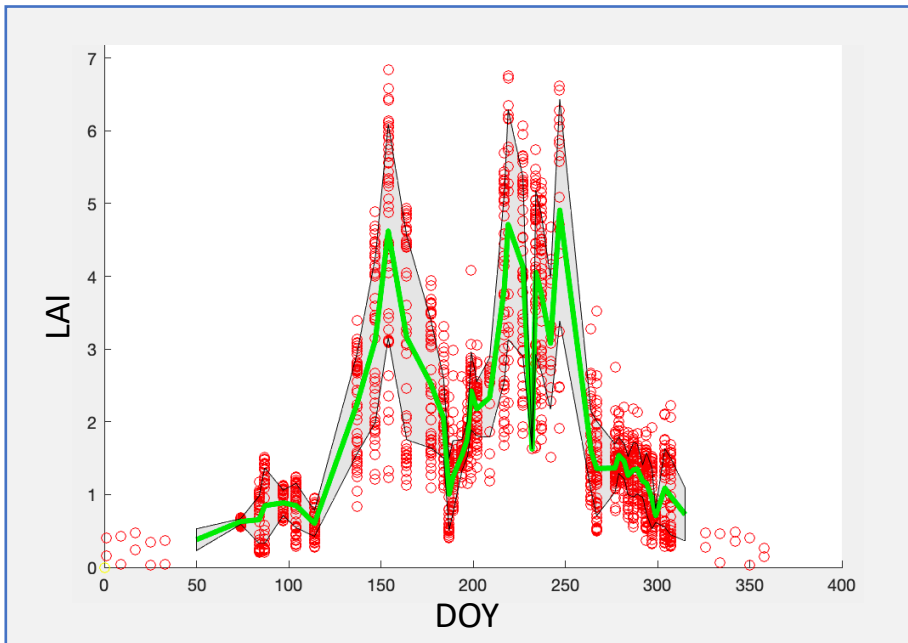


# Interpolation at parcel level

## Linear model

### Parametric model:

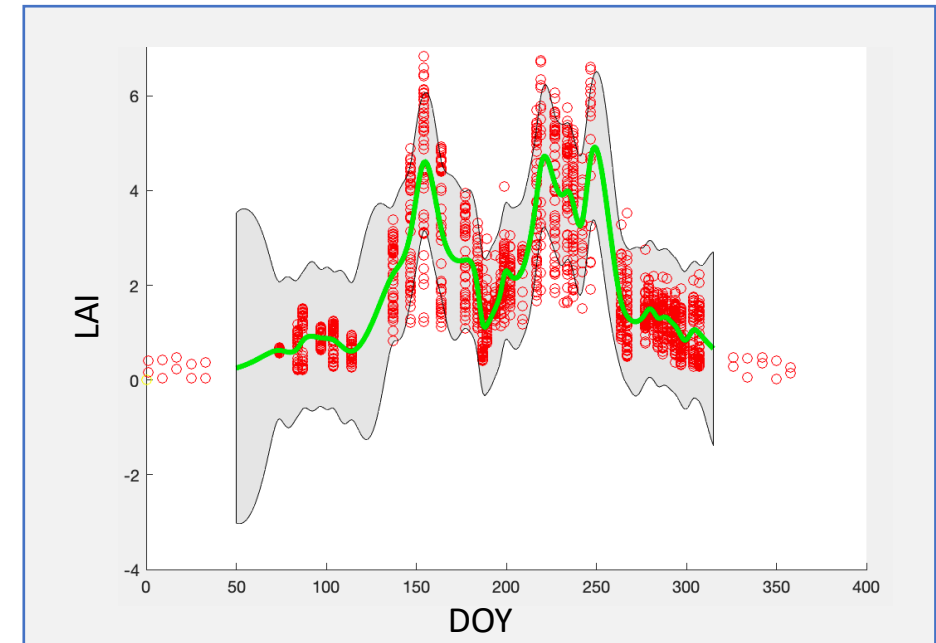
We assume that an analytical linear model fits the data



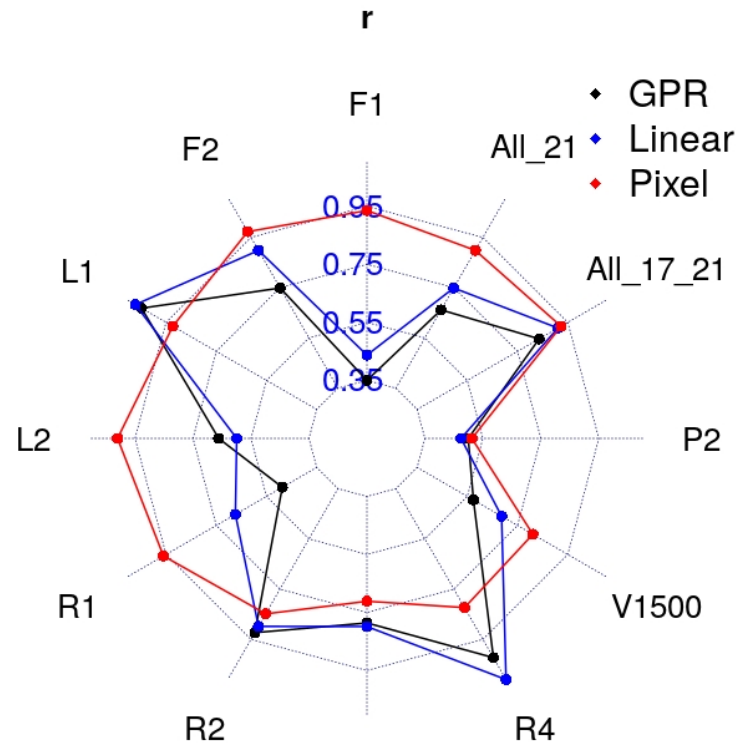
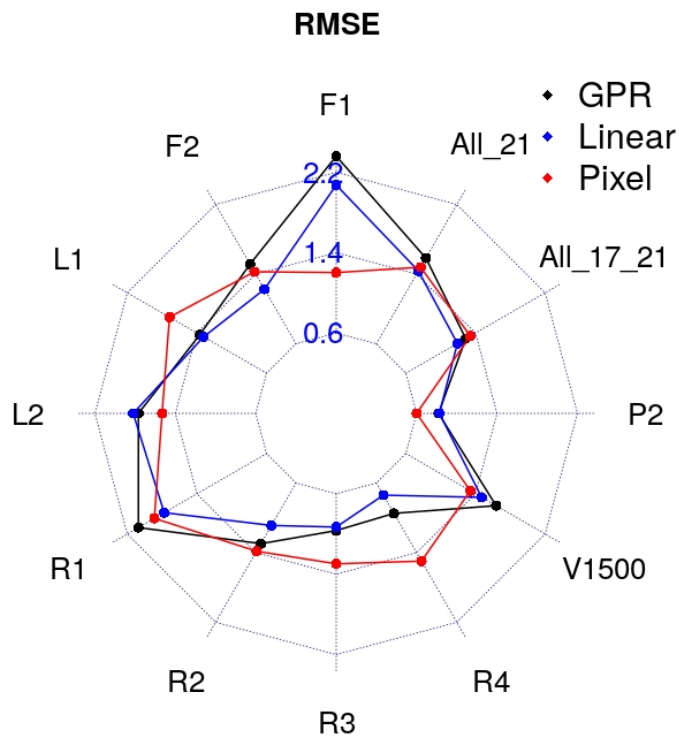
## Gaussian Process Regression model

### Non-parametric model:

We exploit observations to infer the best fitting model, without an analytical formulation



# Results: Timeseries interpolation



Pixel-based linear interpolation performs better.

Comparison between gap-filled LAI and measurements averaged at parcel level.

All\_21 <- all available parcels in year 2021

All\_17\_21 <- all available parcels in years 2017-2021

# Sentinel-2 LAI gap-filling with Sentinel-1

**Aim:** enrichment of S2 LAI timeseries exploiting C band SAR data from Sentinel-1 A/B (S1), based on SAR sensitivity to vegetation structure

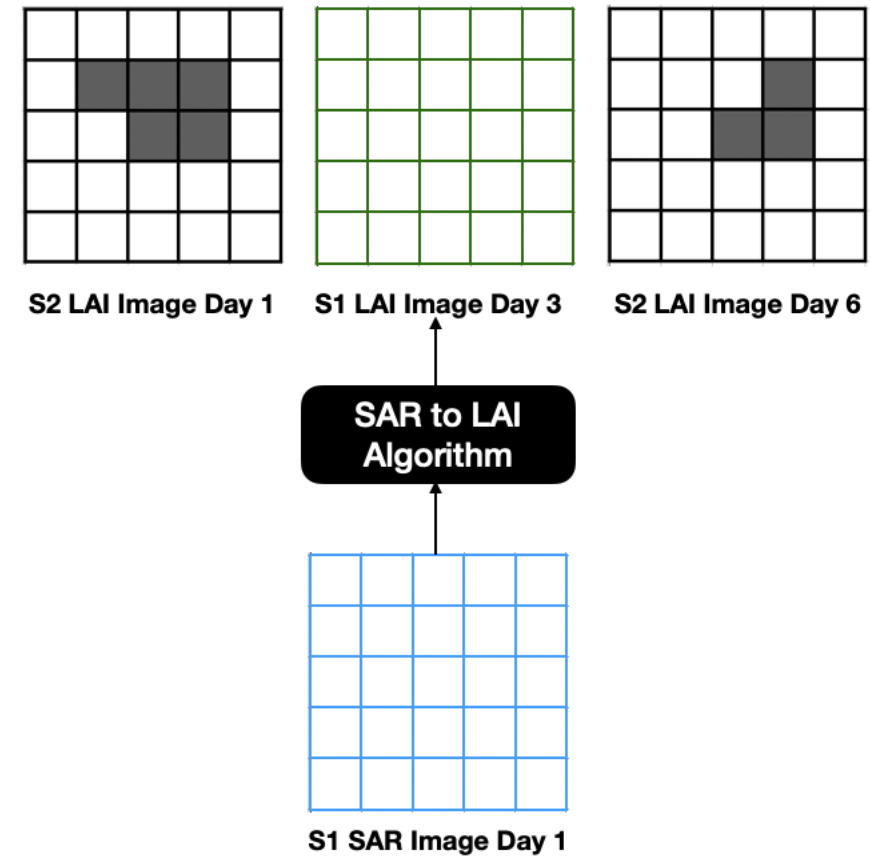


**Challenge:** SAR backscattering intensity is the combination of different interactions with soil and vegetation

Surface + Volume Scattering,  
Soil moisture, Vegetation water  
content, Surface roughness

→  $\sigma^0$

**Solution:** Non-linear machine learning regression to infer a generic non-parametric relationship between the SAR signal and the target variable (LAI)



# Gap-filling with Sentinel-1

**Gaussian Process Regression (GPR) model:** predict Gaussian distributions of the target function at the test points  $\mathbf{x}_* \in \mathbb{R}^D$ , with  $D$  the number of input features

$$f(\mathbf{x}_*) = \mathbf{k}_*^T (K + \sigma_n^2 I_N) \mathbf{y}$$

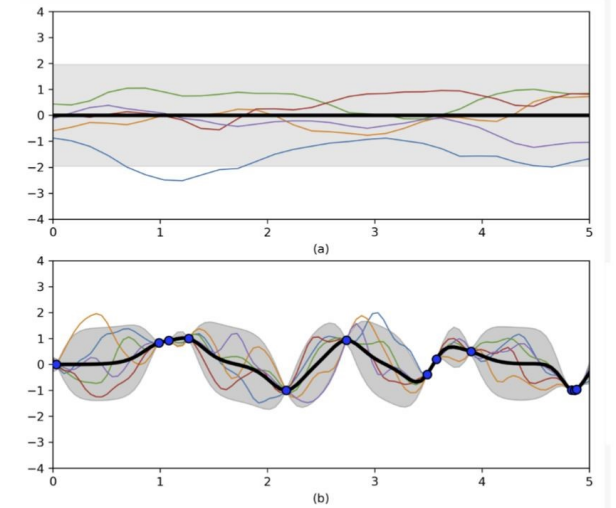
$$\sigma_f^2(\mathbf{x}_*) = k(\mathbf{x}_*, \mathbf{x}_*) + \sigma_n^2 - \mathbf{k}_*^T (K + \sigma_n^2 I_N)^{-1} \mathbf{k}_*$$

1) S1 pre-processing by SNAP S1 toolbox

2) Training: target  $\rightarrow$  S2, input features  $\rightarrow \sigma_{VH}^0, \sigma_{VV}^0, ratio = \frac{\sigma_{VH}^0}{\sigma_{VV}^0}, RVI = \frac{4 \sigma_{VH}}{\sigma_{VH} + \sigma_{VV}}, soil\ moisture^*, DOY$  (Adapted from \*\*)

3) Validation: leave-one-out  $\rightarrow$  GPR performances are calculated excluding one sample per time from the training

Best combination of input features:  $\sigma_{VH}^0, RVI, soil\ moisture^*, DOY$



\*Greifeneder, F., Notarnicola, C., & Wagner, W. (2021). A machine learning-based approach for surface soil moisture estimations with google earth engine. *Remote Sensing*, 13(11), 2099.

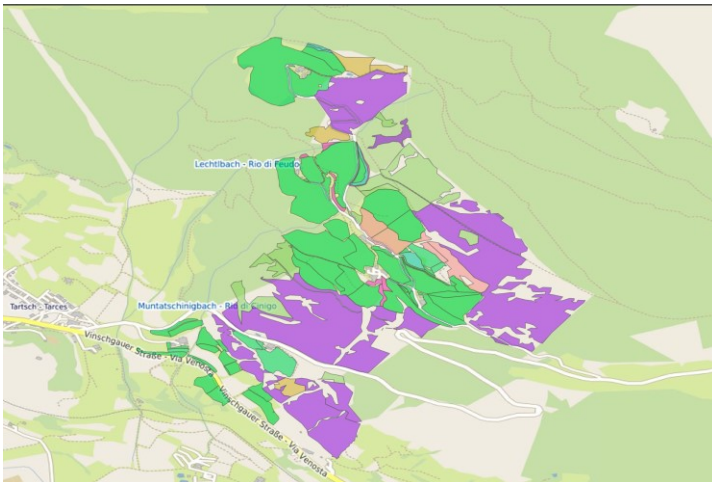
<https://gitlab.inf.unibz.it/Felix.Greifeneder/pysmm>

\*\* Rasmussen, C.E., Williams, C.K.I. Gaussian Processes for Machine Learning; The MIT Press: New York, NY, USA (2006).

# Preliminary Results: GPR model

## Test at hillslope scale:

Derivation of the model at polygon scale, on 126 parcels with different land use, including pastures, meadows, and alpine summer pastures



Monteschino, Venosta Valley (Bolzano), including measurement sites in parcels P2 and V1500.

## Training strategies:

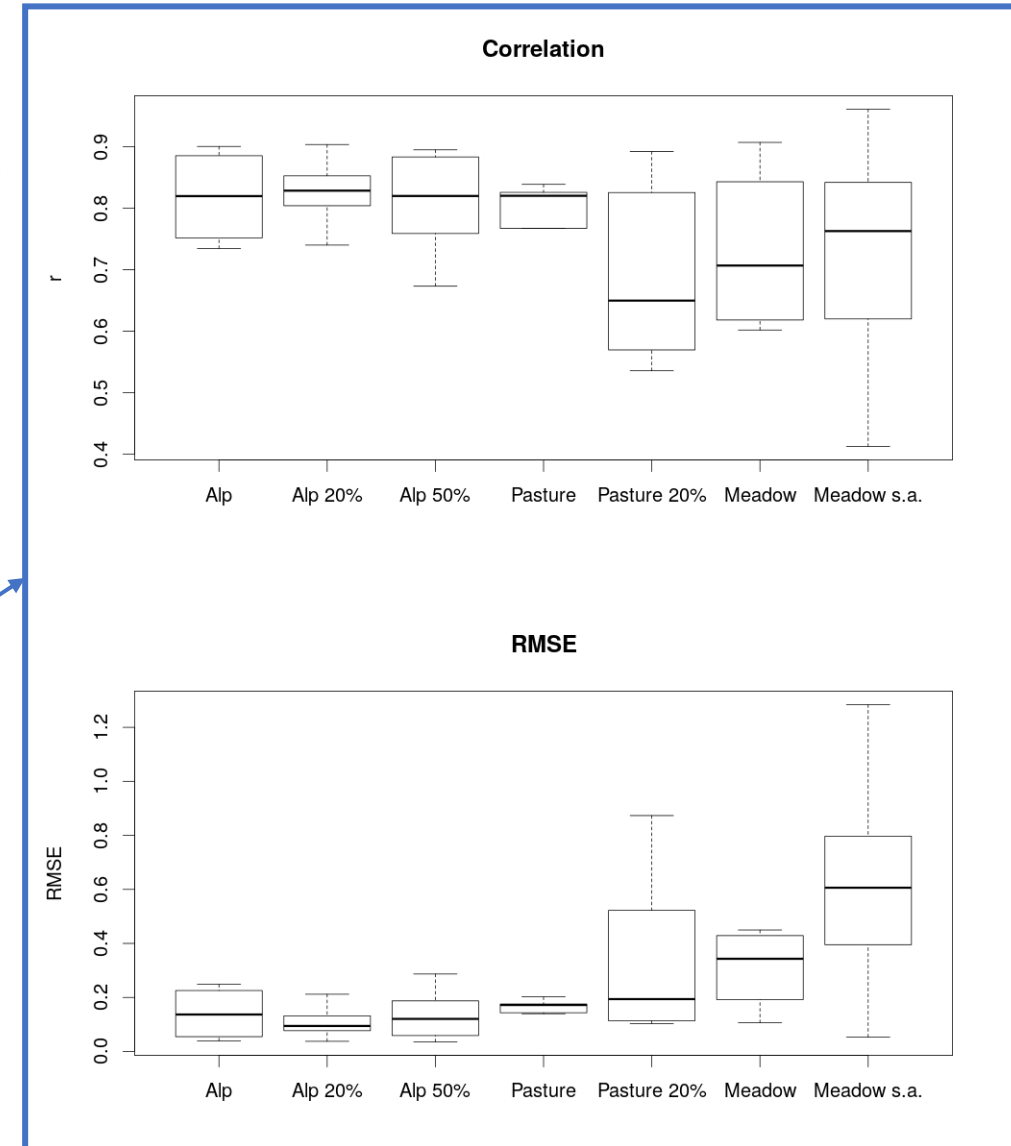
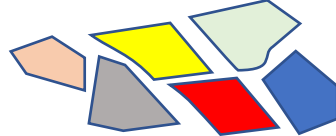
- Global model for any land use



- Land use specific model



- Parcel Model

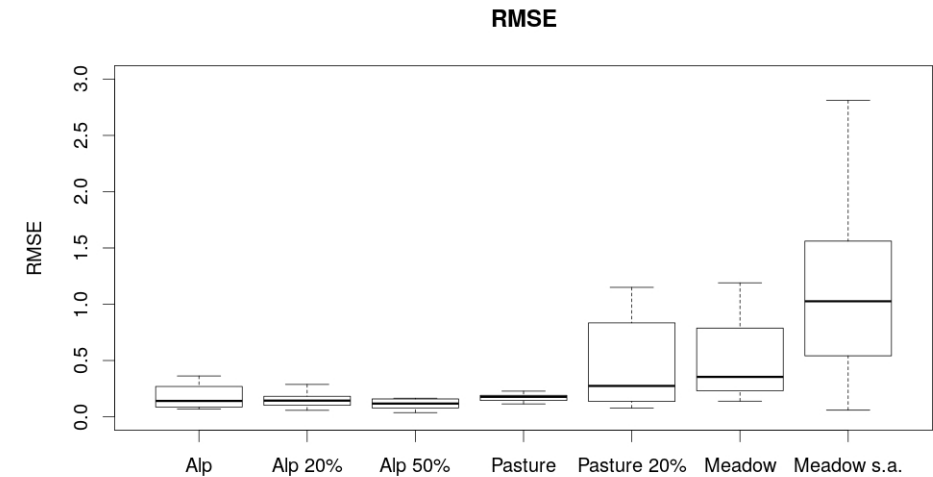
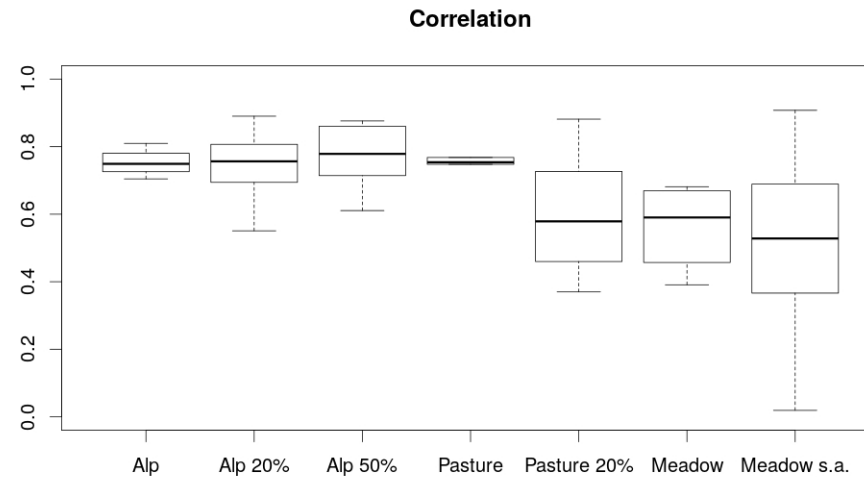


# Preliminary Results: GPR model

## Validation strategies:

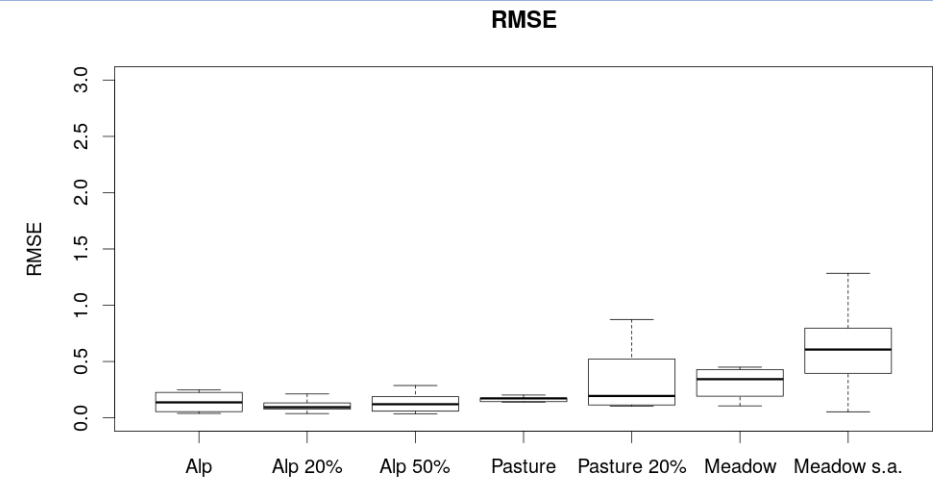
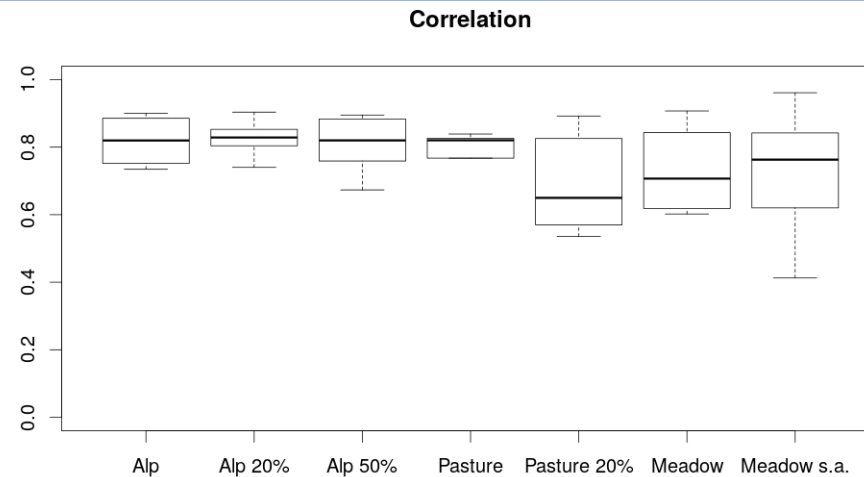
- Temporal sampling:

Can the model predict missing overpasses?



- Spatial sampling:

Can the model predict missing pixels?



# Conclusions

## Sentinel-2 LAI:

- Good performances compared to ground data
- Overestimation of low values

## Gap-Filling methods:

- Interpolation
  - ✓ Linear interpolation performs better than GPR interpolation
- GPR to estimate LAI from Sentinel-1:
  - ✓ Training: parcel scale models are more accurate due to homogeneity
  - ✓ Validation: the model is more performant to predict in space (missing pixels) than in time (missing overpass)
- Ideal combination:
  - ✓ Spatial gap-filling by GPR LAI estimation from S1 + linear temporal interpolation



# Outlook

1) FPI evaluation: Compare FPI with biomass measurements

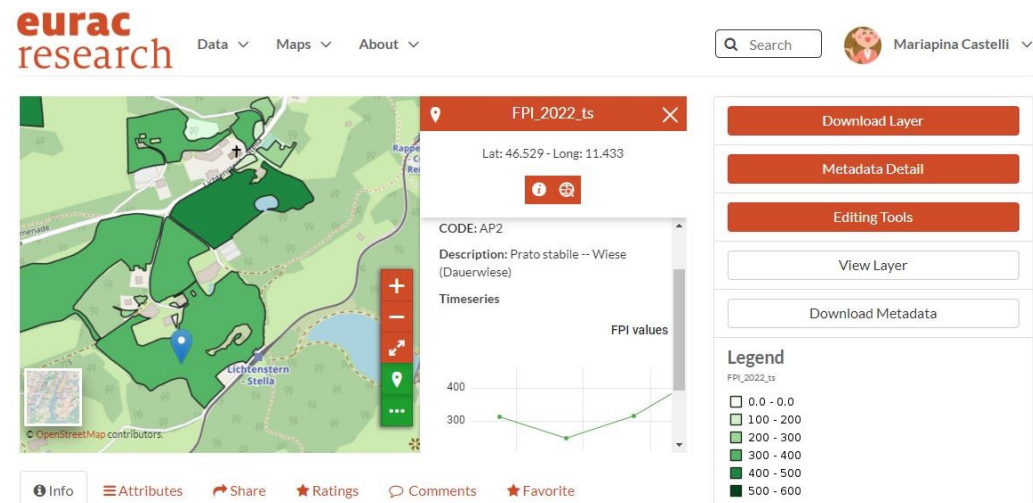
$$FPI_n = \sum_{i=SOS}^{i=EOS} (LAI_{grassland\ i} \times WS) \quad \text{vs ground measurements of biomass}$$

2)  $\Delta FPI$  exploitation for calculating 2022 payments for 8 insured test farms

$$\Delta FPI_n = \frac{FPI_n}{Olympic\ average(FPI_{n-1}; \dots; FPI_{n-5})}$$

3) FPI and  $\Delta FPI$  publication on the Eurac maps portal:

[https://maps.eurac.edu/layers/edp\\_geonode\\_data:geonode:FPI\\_2022\\_ts](https://maps.eurac.edu/layers/edp_geonode_data:geonode:FPI_2022_ts)





*Thank you for your attention!*

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