

The GCOM-W1 AMSR2 snow depth and snow water equivalent product: *update*



Richard Kelly, Nastaran Saberi & Qinghuan Li
Department of Geography and Environmental
Management
University of Waterloo, Waterloo, Ontario, Canada.

- Remember: estimate snow depth using AMSR2 and any static ancillary data
a purely space-based approach
- Essential variable #1 *snow detection*
- Essential variable #2 *snow depth estimation*

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Essential Variable #1: snow detection

Required to obtain snow onset/renewal date

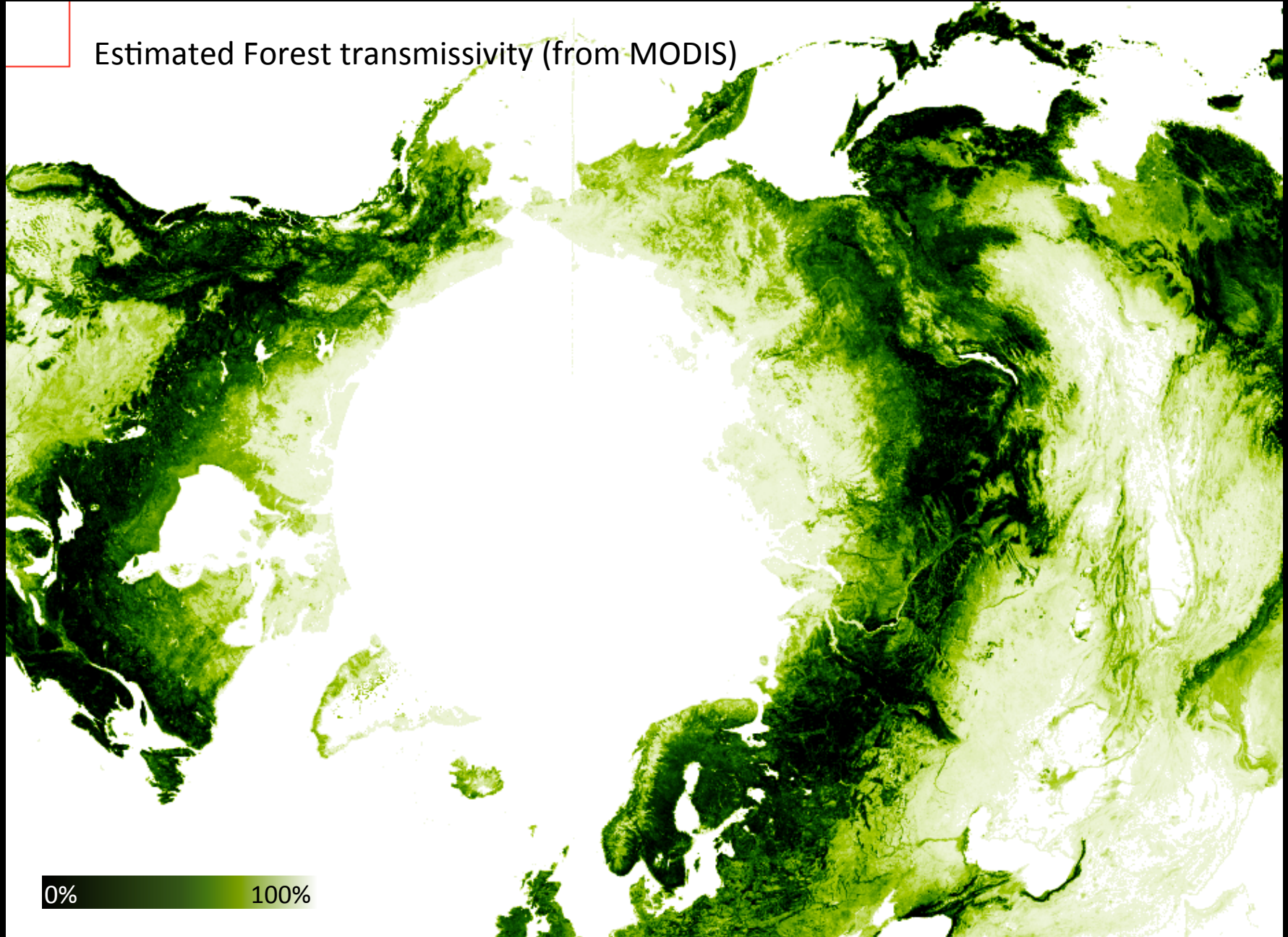
- Geophysical estimates, correction factors, screening
 - T-surf estimation (empirical) – for *detection* and *retrievals*
 - Forest correction: transmissivity – for *detection* and *retrievals*
 - Water fraction (>40%) (Un)Frozen – for *detection* and *retrievals*
 - TP correction (Tsustui approach adopted) – for *detection* and *retrievals*
 - Desert/non-snow scatterers – for *detection* only
 - Moderate | Shallow | Wet snow – for *detection* and *retrievals*
- Not discussed here
- *Atmospheric correction (36V GHz) – for retrievals (not detection)*

Forest transmissivity

- Methodology developed in Finland (Metsämäki et al. 2005)
- Based on Landsat TM analysis applied to MODIS
- Transmissivity is a function of canopy structure (models often use stem volume – globally not available)
- Not the same as forest fraction or NDVI: it's a function of the canopy structure = what we need for microwave corrections.
- With knowledge of emissivity and physical temperature it is possible to derive forest correction equations.



Estimated Forest transmissivity (from MODIS)



0%

100%

Forest correction factors

Band(GHz.)	V-pol	H-pol
6.9	$y = -5.61x + 4.89$	$y = -22.42x + 20.93$
10.65	$y = -6.79x + 5.58$	$y = -24.62x + 22.41$
18.7	$y = -8.76x + 7.42$	$y = -27.84x + 25.22$
23.8	$y = -9.85x + 8.47$	$y = -27.99x + 25.40$
36.5	$y = -13.47x + 12.41$	$y = -30.85x + 28.79$
89.0	$y = -33.05x + 32.58$	$y = -45.20x + 43.73$

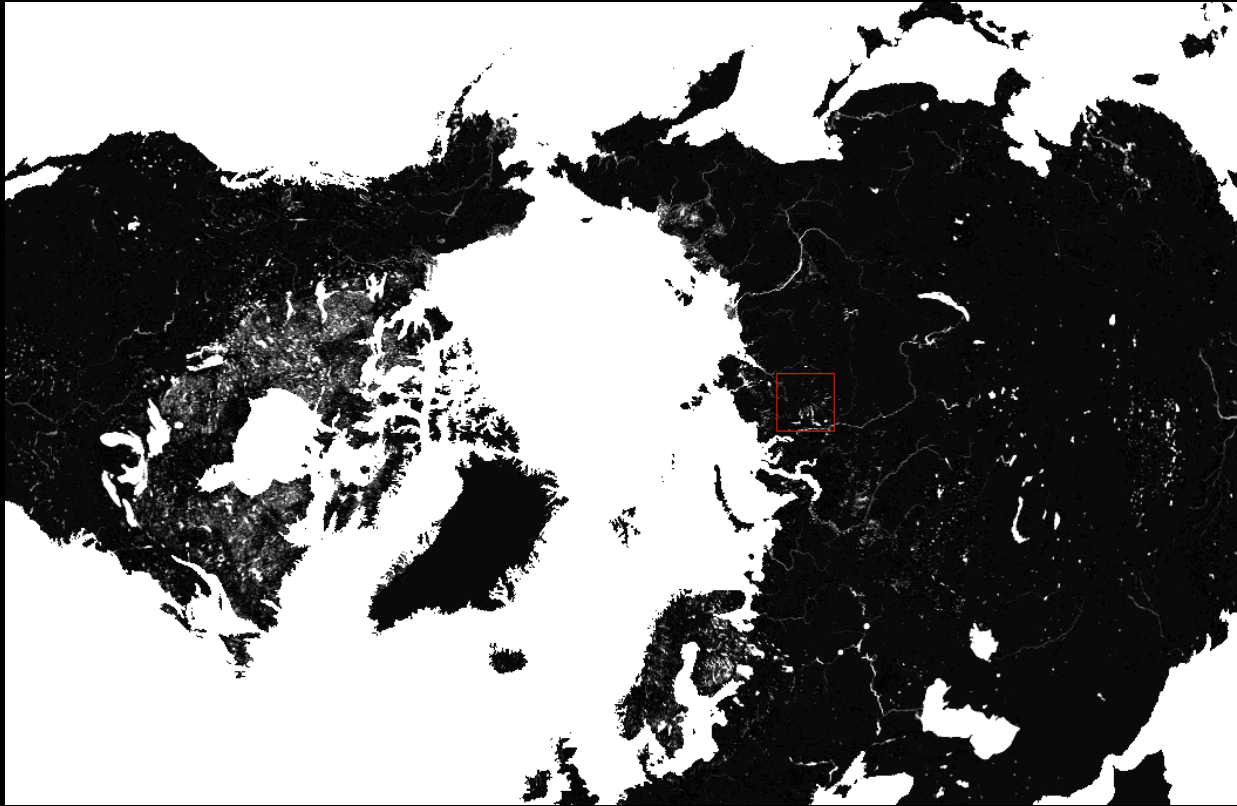
Applied when forest transmissivity < 0.5

$y = T_b$ correction applied to each satellite T_b

$y =$ Forest transmissivity

Improved water fraction

- Based on a WWF GIS data set

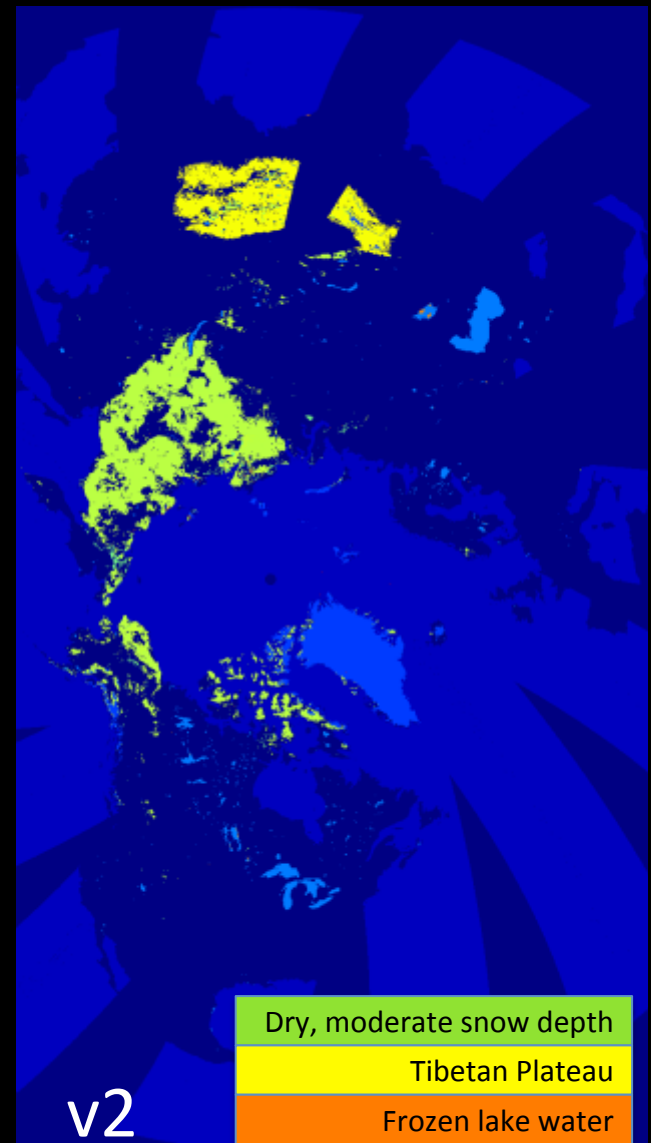
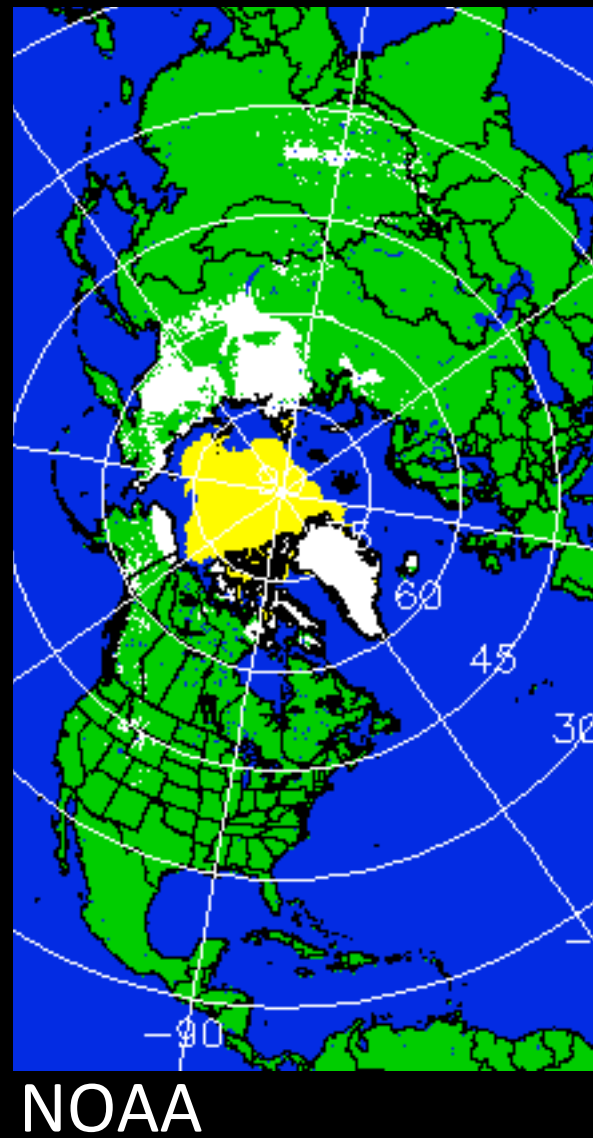
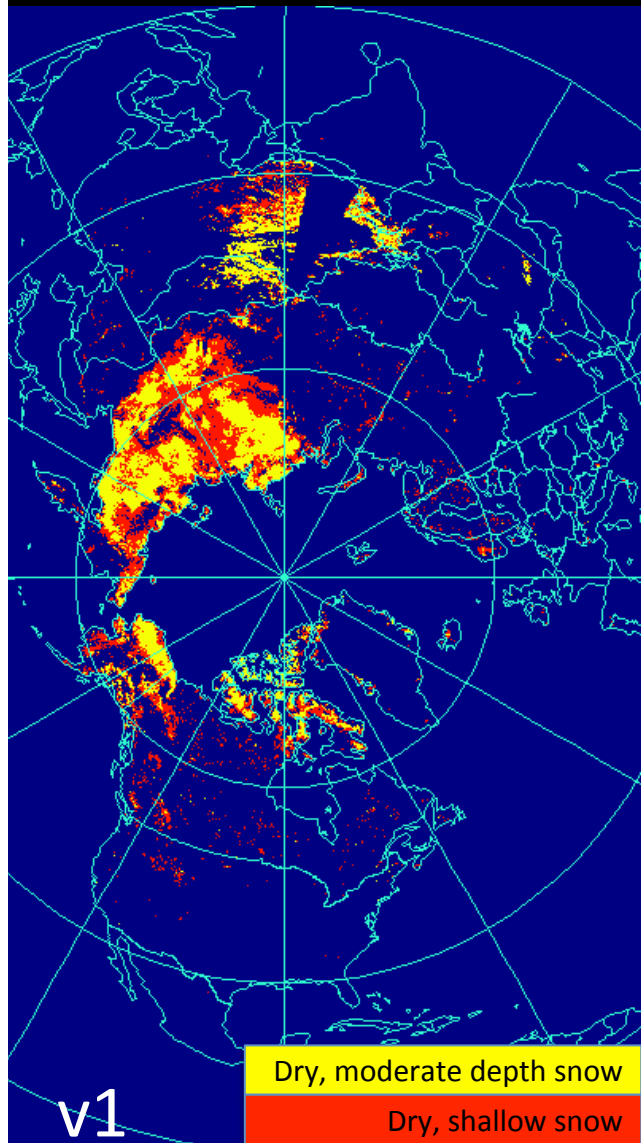


Tibetan Plateau correction

- Courtesy of Tsutsui (JAXA) after Tsutsui and Koike (2012)
- Geographical constraint:
 $70^{\circ}\text{E} \leq \text{Longitude} < 105^{\circ}\text{E}$ and
 $27^{\circ}\text{N} \leq \text{Latitude} < 40^{\circ}\text{N}$
- Elevation constraint:
 Elevation ≥ 2500 m.a.s.l.
- Ratioing of Tb18V, Tb36V, Tb89V:
 If $(\text{Tb36V}/\text{Tb89V}) / (\text{Tb18V}/\text{Tb37V}) < 1.03$:: *no-snow*

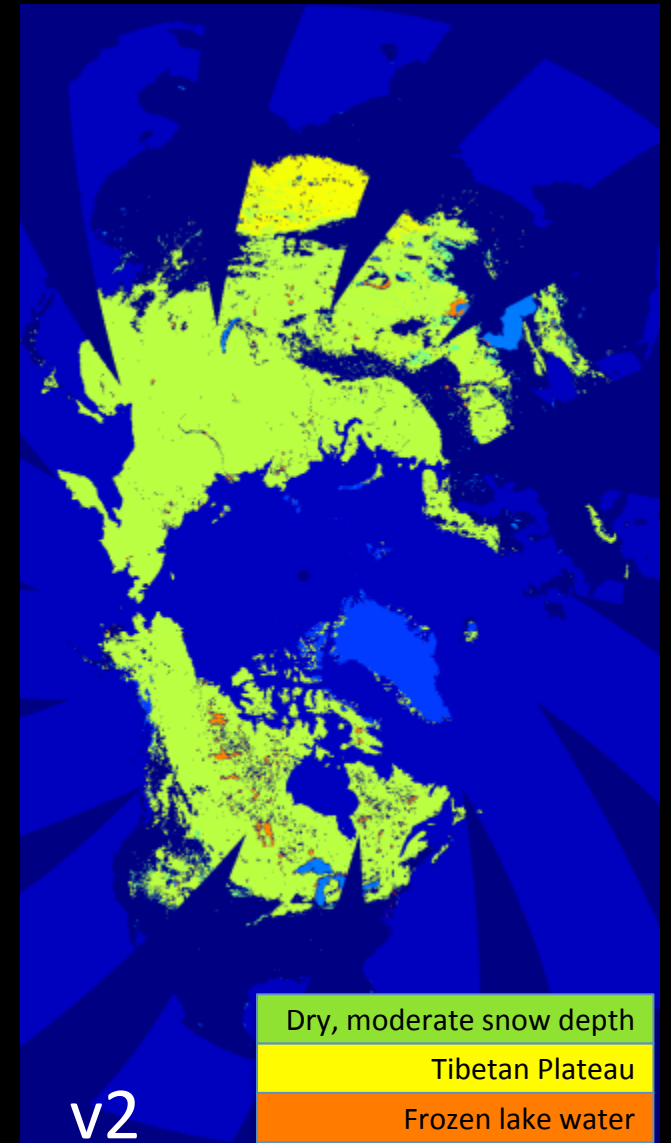
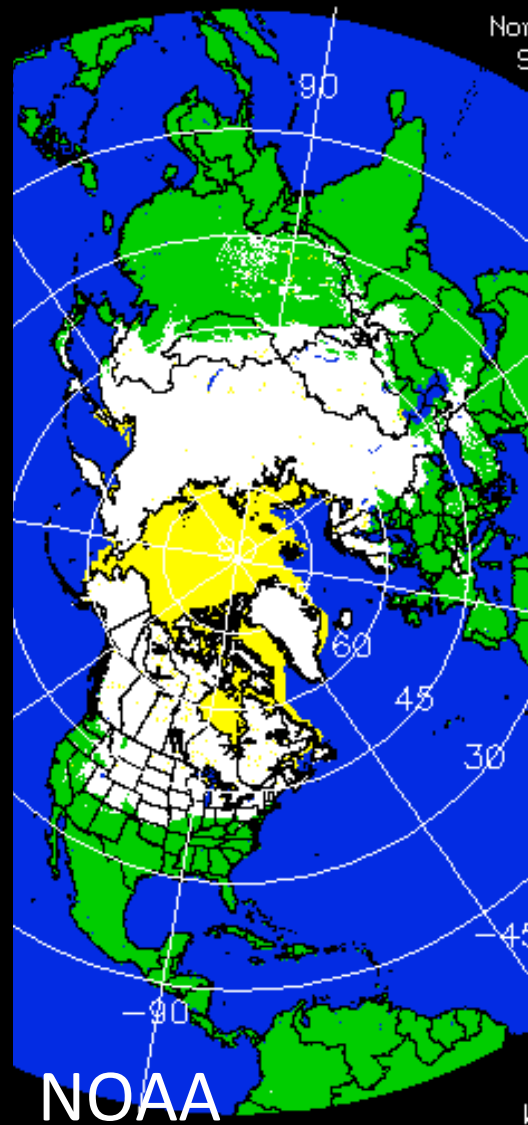
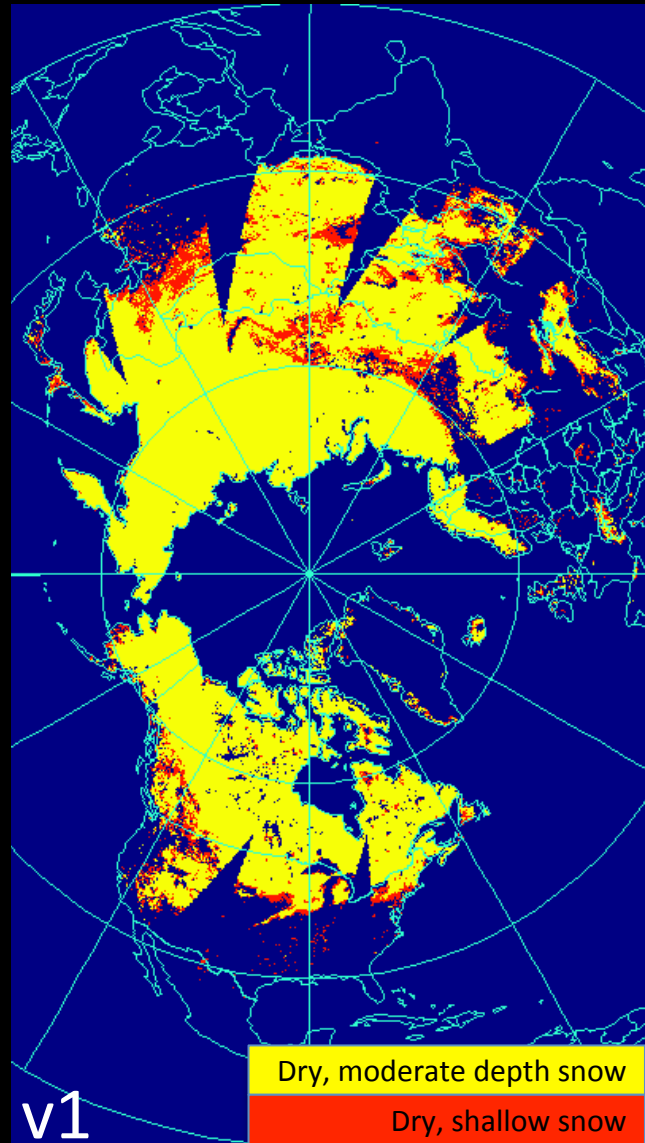
V1 vs V2

1 Oct, 2013



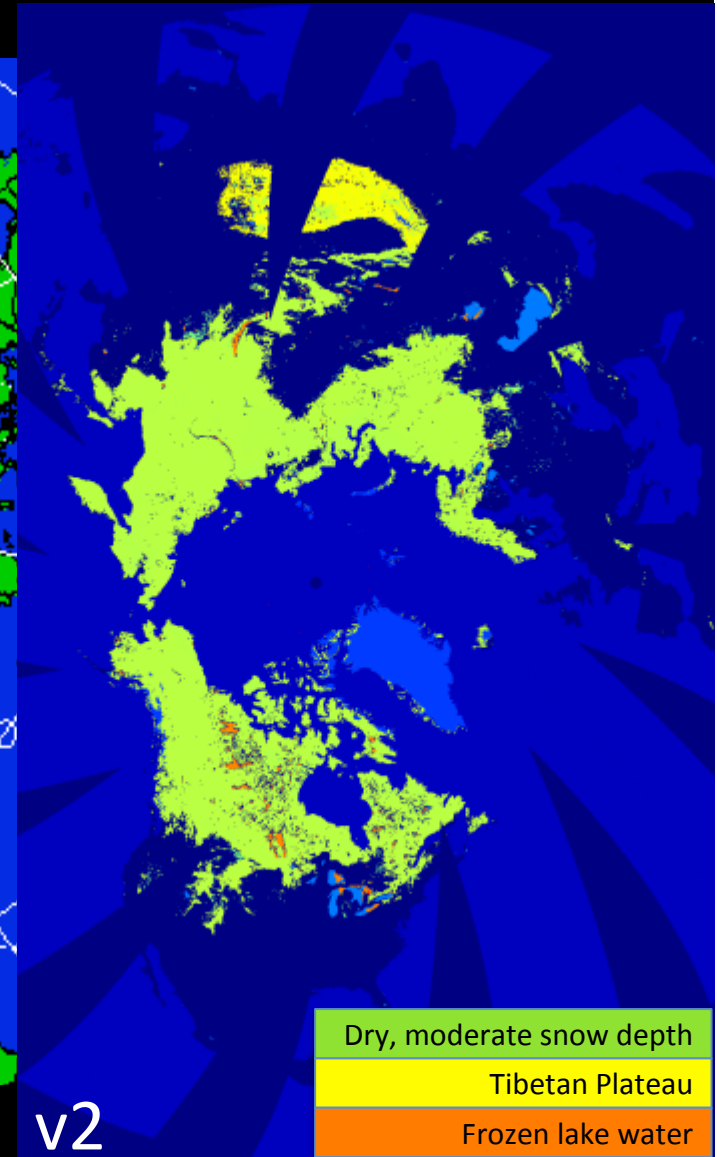
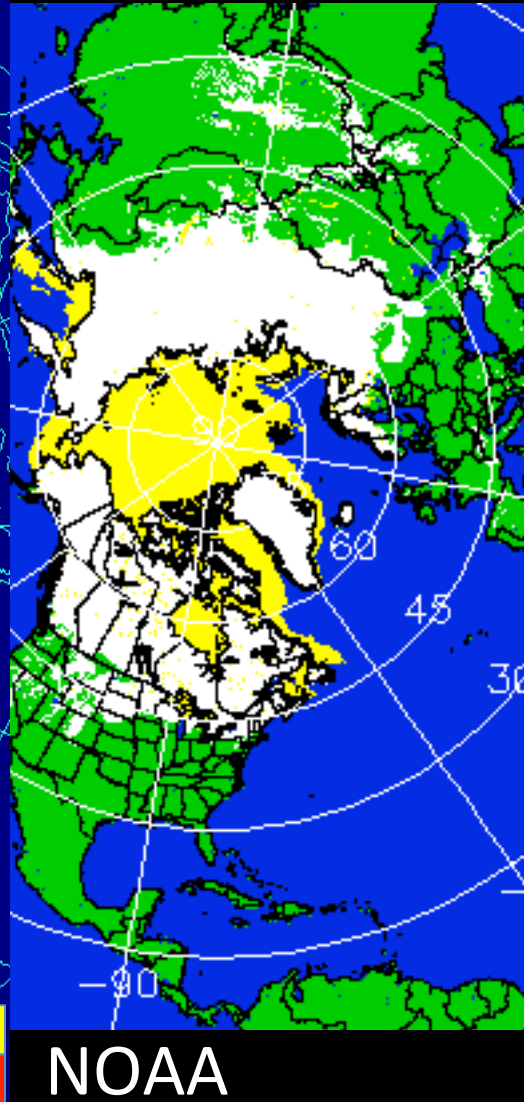
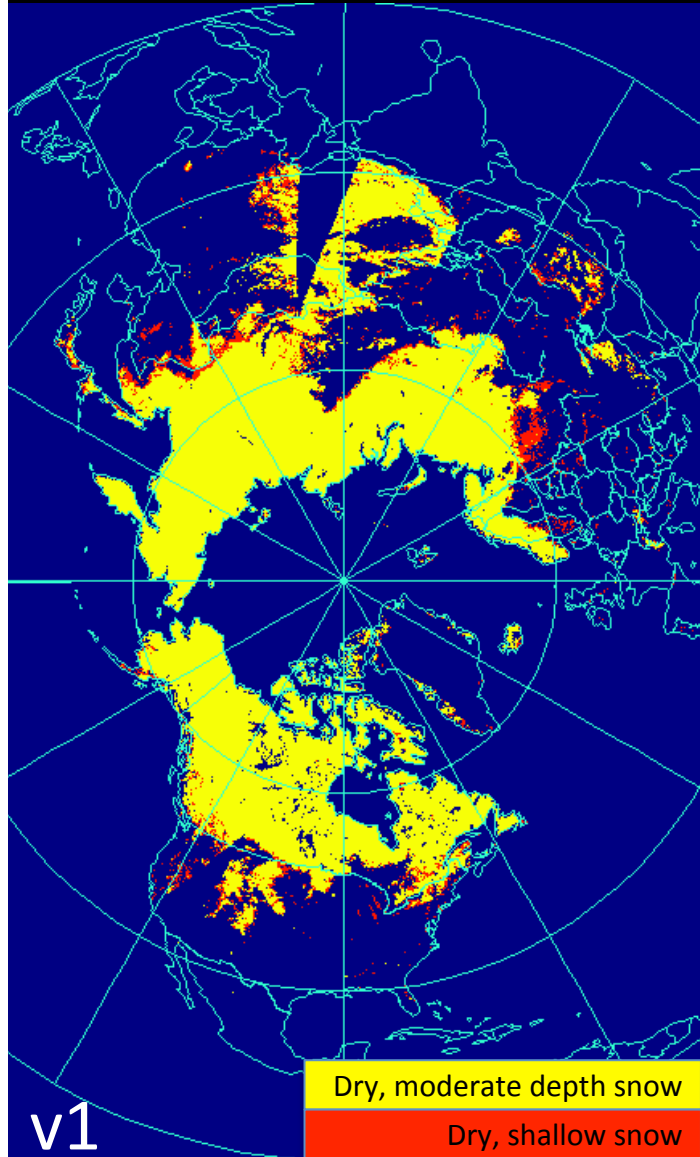
V1 vs V2

1 Jan, 2014



V1 vs V2

1 Apr. 2014



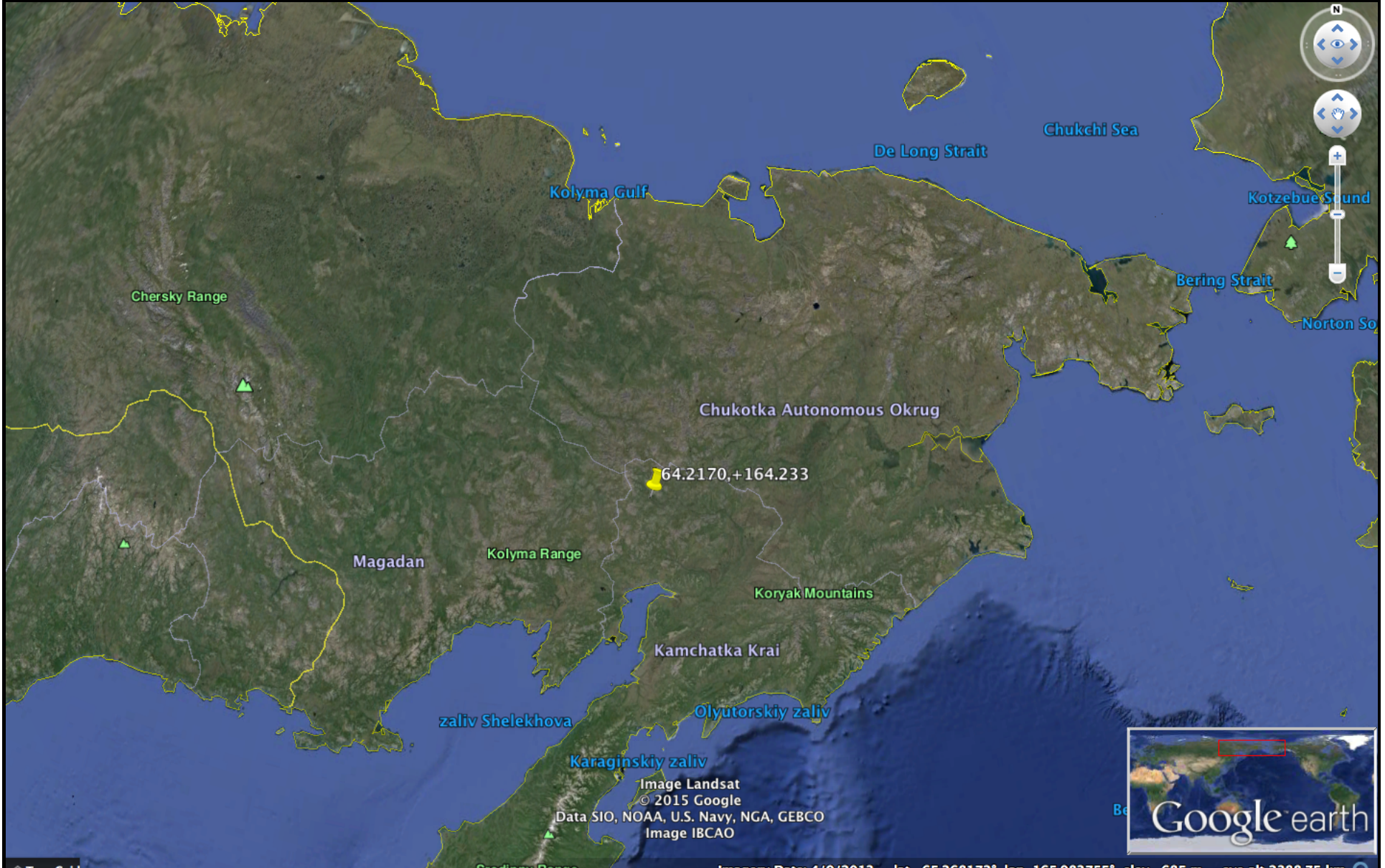
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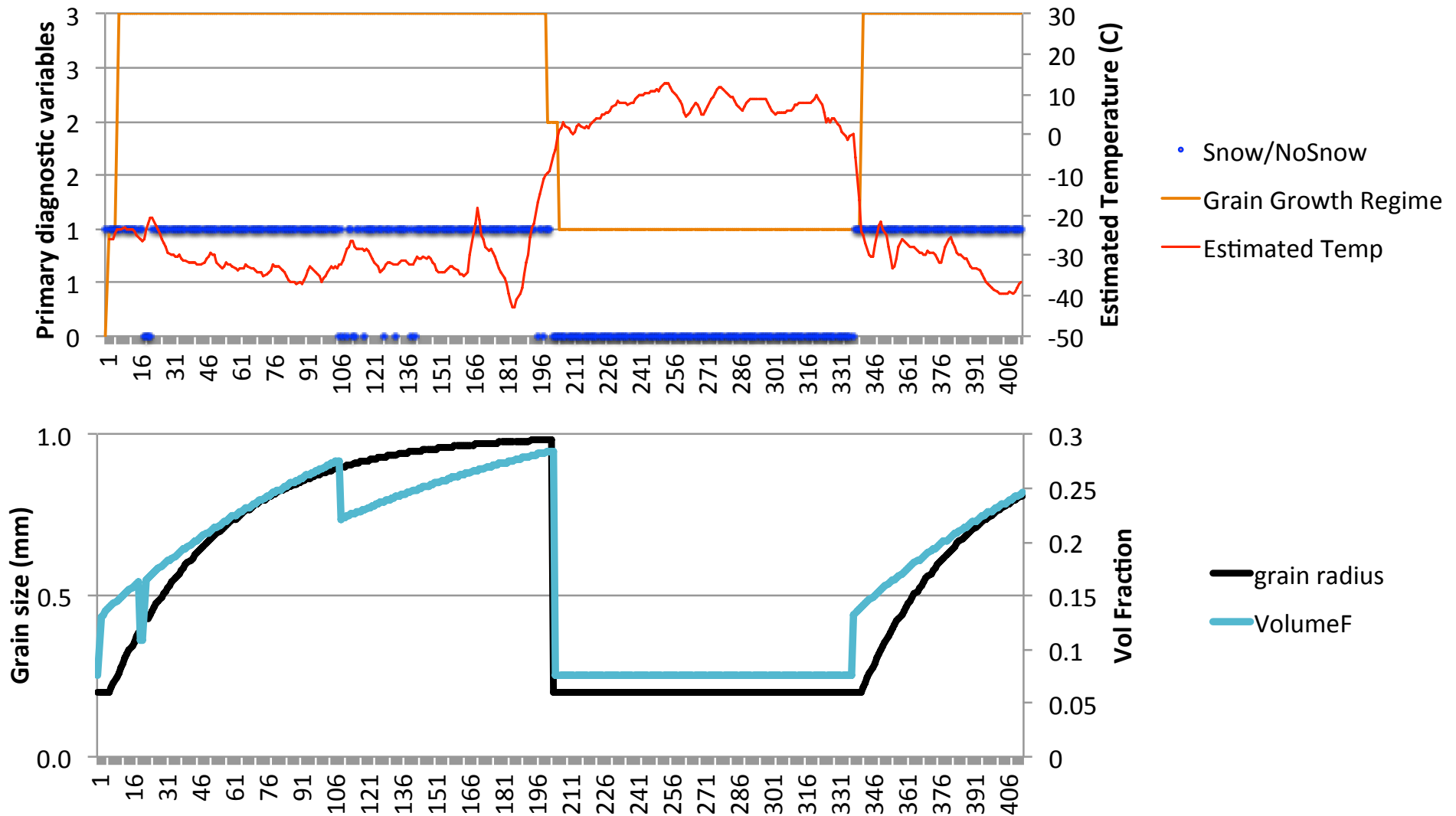
Essential Variable #2: SWE / snow depth

Once identified where the snow is, we can perform the retrieval

- DMRT-ML (Picard et al, 2013) Inverted: *Estimate snow depth*
 - Snow temperature (Kelly et al. 2003, updated)
 - Grain size (Kelly et al. 2003)
 - Snow density (Kelly et al. 2003)
 - AMSR2 Tb36V GHz

- We have to track (internally):
 - (t-5) history
 - Temperature (from T_{est})
 - Snow presence/absence (from detection)
 - (t-1) history
 - Evolution of the snowfield (no. days)
 - Grain growth regime: (kinetic, EQT, fresh) – from T_{est}
 - Growth Phase
 - Facet Evolution (Kinetic)
 - Grain radius
 - Snow depth
- Specified grain size range 0.2 – 1 mm (D_{max})





(r) Specified grain size range $0.2 (r_0) - 1.0 (r_\infty)$ mm.
 $\alpha = 0.02$ (dimensionless). $t =$ one day.

$$\frac{dr}{dt} = \alpha (r_\infty - r_0) \exp(\alpha t)$$

Able to set up the inversion (see last year's presentation):

- Either...2003 we used a polynomial inversion of DMRT
 - $SD = a(Tb18V - Tb36V)^2 + b(Tb18V - Tb36V)$ [cm]
 - A & B specified by grain size and density
- Or...DMRT-ML minimization with cost function and constraints

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Retrieval – current working

- 1 layer DMRT model
- Infinite background (difficult to parameterize soil background for DMRT at this time)
- Stickiness (τ) is set to 0.3
- Minimize difference between $Tb36V_{est}$ and $Tb36V_{obs}$ AMSR2 (simple cost function)

Summary

- Snow cover detection is done (for now!)
- Snow depth retrieval is being assembled....
 - *Grain size* ✓
 - *Density / volume fraction* ✓
 - *Estimated physical temperature* ✓
 - *DMRT-ML implementation* ✓
- Coding is in C language.
 - Retrievals on the granule basis, BUT, need to track 6 variables in NH +SH EASE grid projection space for continuity of grain size/density estimation.
- Output is granule level SD and SWE(lat/lon).
- Granules are gridded to lat/lon and polar stereographic grid.
- Product delivery ready for JAXA early fall 2015.



Thank you!

(For full results of testing, see AGU F2015)