Systematic InSAR tropospheric phase delay corrections from global meteorological reanalysis data

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Atmospheric Phase Screen

$$\Delta \Phi_{(i,j)} = \Delta \phi_{def} + \Delta \phi_{orb} + \Delta \phi_{atmo} + \phi_{noise}$$



- Random in Space and Time
- Numerous Acquisitions to average or smooth the signal

Atmospheric Phase Screen

$$\begin{array}{ll} \Delta \Phi_{(i,j)} = \Delta \phi_{def} + \Delta \phi_{orb} + \Delta \phi_{atmo} + \phi_{noise} \\ \\ \hline \\ \text{Stratified} \\ \text{Tropospheric} \\ \text{Delay} \end{array} \qquad \textbf{+} \qquad \begin{array}{l} \text{Turbulent} \\ \text{Delay} \end{array}$$







Atmospheric Phase Screen







Doin et al., 2009



Correction methods:

- Local atmospheric data collection e.g. Delacourt et al, 1998
- GPS zenithal delay estimations e.g. Webley et al, 2002; Onn et al, 2006
- Satellite multispectral imagery (ex: MERIS) e.g. Li et al 2006
- Data assimilation in mesoscale meteorological models e.g. Puyssegur et al, 2007



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What if no local data are available?

Empirical estimation

 $\Delta \Phi_{(i,j)} = \Delta \phi_{def} + \Delta \phi_{orb} + \Delta \phi_{atmo} + \phi_{noise}$



Beauducel et al., 1999; Remy et al., 2003 Cavalie et al, 2008; Lin et al, 2010; Jolivet et al., Submitted to JGR **Empirical estimation**

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Difficult if:

- Deformation and Topography are related





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ERA-Interim Dee et al, 2011

- ECMWF atmospheric model
- Global ~75 km grid
- 1989-...
- 4 solutions a day at 0 am, 6 am, 12 pm and 6 pm

- Altitude, temperature and water vapor partial pressure at 37 pressure levels (surface to 50 km alt.)

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30000

20000

10000

0-

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5

15

10

Altitude (km)

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$$\Delta \mathcal{L}_{LOS}^{s}(z) = \delta \mathcal{L}_{LOS}^{s2}(z) - \delta \mathcal{L}_{LOS}^{s1}(z)$$



Computing Delay Maps from GAM



Computing Delay Maps from GAM



- 1 Computing delay functions
- 2 Spatial bilinear interpolation and spline interpolation for altitude

One month temporal baseline == no deformation expected













- 2D Full grid ERA-I correction: ~73% RMS reduction
- 1D ERA-I correction: ~71% RMS reduction
- Empirical correction (Cavalie et al 2008) : ~71% RMS reduction

-- At least as efficient as the empirical method-- Unbiased method, no parameter estimation

Unwrapping in high relief area is almost impossible



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- In high relief areas, the coherence is poor.
- Downlooking increases the coherence

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But...

Elevation

Nepal

India

- Downlooking aliases fringes



Unwrapping in high relief area is almost impossible Atmospheric correction reduces the fringe rate







Data



DEM



Unwrapping in high relief area is almost impossible Atmospheric correction reduces the fringe rate







Data Wrapped



DEM



ERA-I Prediction Wrapped



Residuals Wrapped



Unwrapping in high relief area is almost impossible Atmospheric correction reduces the fringe rate



Fringe rate reduction avoids fringe aliasing during downlooking
Phase ambuigity is under control, so are unwrapping errors



- We validate the use of GAM to produce stratified delay maps and correct interferograms



Unbiased corrections for unbiased time series analysis Help the unwrapping process

- This method is simple, its computational cost is low, it is global We rely on GAM improvements for more precise corrections



It should be included in the future interferometric chains



0 15 20 25 30 Phase (rad) Orbit estimation



2D full grid ERA-I



Local Phase/Topography Relationship



