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Nomenclature and Radiometric Units			
		Term or quantity	Unit
QUANTITY	RADIOMETRIC	Energy content	
		radiant energy	joule (J)
FLUX	POWER (WATTS)	energy flow rate	J s⁻¹ or watt (W)
		energy fluence	J m <sup>-2</sup>
FLUX/AREA	IRRADIANCE (WATTS/M <sup>2</sup> )	energy fluence rate	W m <sup>-2</sup>
		Photon content	
FLUX/SOLID ANGLE	RADIANT INTENSITY (WATTS/STR) RADIANCE (WATTS/M <sup>2</sup> /STR)	number of photons (quanta)	dimensionless
		Avogadro's number of photons	mol
FLUX/AREA/SOLID		photon flow rate	s <sup>-1</sup> or mol s <sup>-1</sup>
	(	photon fluence	m <sup>-2</sup> or mol m <sup>-2</sup>
		photon fluence rate	m <sup>-2</sup> s <sup>-1</sup> or mol m <sup>-2</sup> s <sup>-1</sup>
→ 4th ADVANCED TRAINING COU	RSE IN LAND REMOTE SENSING		

































**EXAMPLE ENTRYEGeneral 5D ([3+2]D) vector radiative transfer equation**
$$d\vec{1}(\vec{r},\vec{\Omega}) = -\beta_{a}^{ext}(\vec{r},\vec{\Omega}) \ \vec{1}(\vec{r},\vec{\Omega}) dS - \vec{\beta}_{s}(\vec{r},\vec{\Omega}) \cdot \vec{1}(\vec{r},\vec{\Omega}) dS +$$
 $d\vec{1}(\vec{r},\vec{\Omega}) = -\beta_{a}^{ext}(\vec{r},\vec{\Omega}) \ \vec{1}(\vec{r},\vec{\Omega}) dS + \beta_{s}(\vec{r},\vec{\Omega}) \cdot \vec{1}(\vec{r},\vec{\Omega}) dS +$  $+\beta_{a}^{int}(\vec{r},\vec{\Omega}) \ \vec{J}_{a}(\vec{r},\vec{\Omega}) dS + \beta_{s}(\vec{r},\vec{\Omega}) \ \vec{J}_{s}(\vec{r},\vec{\Omega}) dS$  $\vec{J}_{s}(\vec{r},\vec{\Omega}) = \frac{1}{4\pi} \int_{4\pi} d\vec{\Omega}' \left[ \vec{\Psi}_{s}(\vec{r},\vec{\Omega},\vec{\Omega}') \cdot \vec{1}(\vec{r},\vec{\Omega}') \right]$  $\vec{\beta}_{s}(\vec{r},\vec{\Omega}) = \frac{1}{4\pi} \int_{4\pi} d\vec{\Omega}' \ \vec{\Psi}_{s}(\vec{r},\vec{\Omega},\vec{\Omega}')$  $\vec{\mu}_{s}(\vec{r},\vec{\Omega}) = \frac{1}{4\pi} \int_{4\pi} d\vec{\Omega}' \ \vec{\Psi}_{s}(\vec{r},\vec{\Omega},\vec{\Omega}')$  $\vec{\mu}_{s}(t) = \frac{1}{4\pi} \int_{4\pi} d\vec{\Omega}' \ \vec{\Psi}_{s}(\vec{r},\vec{\Omega},\vec{\Omega}')$ 

EXAMPLES INVERSE  

$$\begin{aligned} 
\underbrace{\partial}{\partial s} &= \left( \vec{\Omega} \cdot \vec{\nabla} \right) \\
\\
\frac{\partial}{\partial s} &= \left( \vec{\Omega} \cdot \vec{\nabla} \right) \\
\\
\frac{1}{\beta_{e}(\vec{r}, \vec{\Omega})} \quad \frac{\partial}{\partial s} \vec{\Gamma}(\vec{r}, \vec{\Omega}) &= -\vec{\Gamma}(\vec{r}, \vec{\Omega}) + \\
\\
&+ \frac{\omega_{0}(\vec{r}, \vec{\Omega})}{4\pi} \int_{4\pi} d\vec{\Omega} \cdot \left[ \vec{P}(\vec{r}, \vec{\Omega}, \vec{\Omega}') \cdot \vec{\Gamma}(\vec{r}, \vec{\Omega}') \right] + \\
&+ \vec{J}(\vec{r}, \vec{\Omega}) \\
\\
d\tau &= -\beta_{e}(\vec{r}, \vec{\Omega}) dz \\
d\tau &= -\beta_{e}(\vec{r}, \vec{\Omega}) \cos \vartheta ds
\end{aligned}$$

$$\begin{aligned} 
ds &= \frac{dz}{\cos \vartheta} \\
\end{aligned}$$





$$$$



























































































